



Performance-based earthquake engineering before, during, and after a mainshock



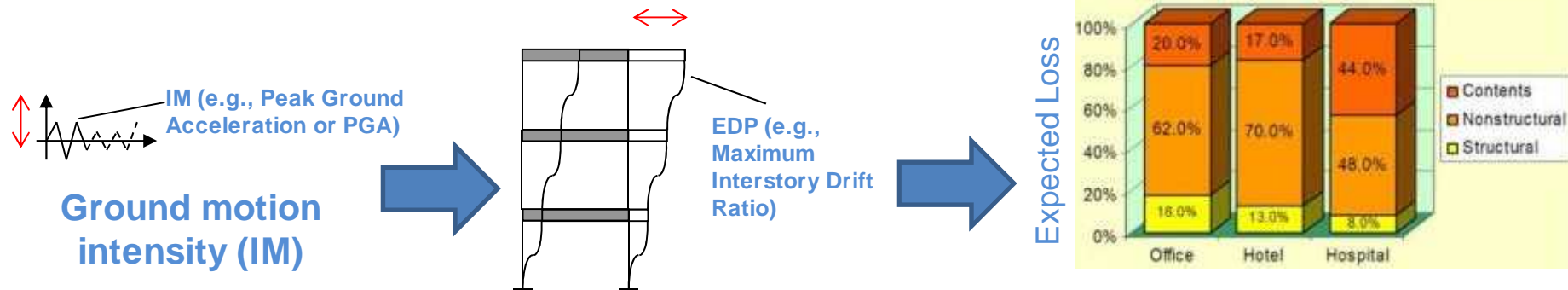
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Università di Napoli Federico II, Italy.

Stanford University, CA.

Seismic risk definition and performance-based earthquake engineering framework



Loss rate $\lambda_l = \int \int \int P[L > l | DM = dm] \cdot f_{DM|EDP}(dm) \cdot f_{EDP|IM}(edp) \cdot d(dm) \cdot d(edp) \cdot |d\lambda_{IM}|$

Loss exceedance probability given damage

Structural damage probability depending on building seismic response

Seismic response probability depending on ground motion intensity

Probabilistic seismic hazard

Probabilistic seismic hazard (ground motion intensity rate)

$$\lambda_{IM} = \lambda \cdot P[IM > im] = \lambda \cdot \int \int P[IM > im | M = m, R = r] \cdot f_{M,R}(m, r) \cdot dm \cdot dr$$

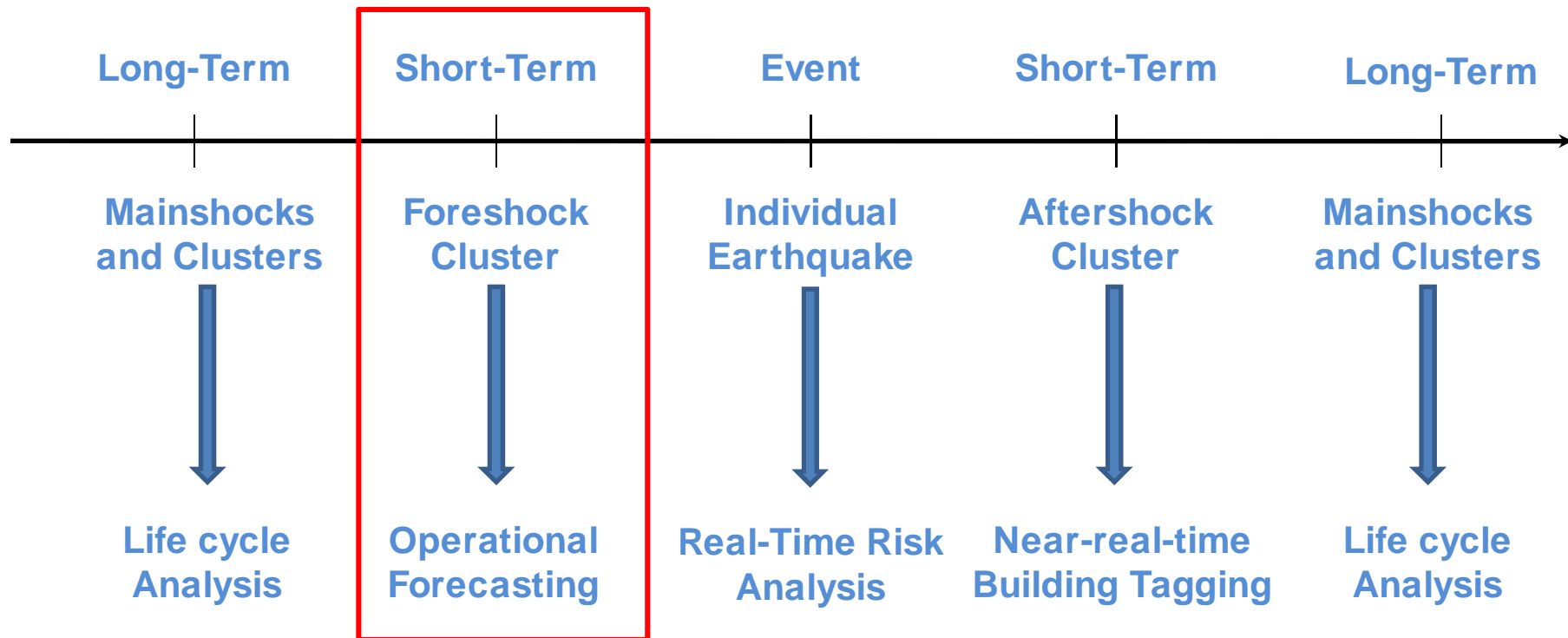
Rate of earthquakes on the source

Attenuation law

Distribution of event features due to the source of interest

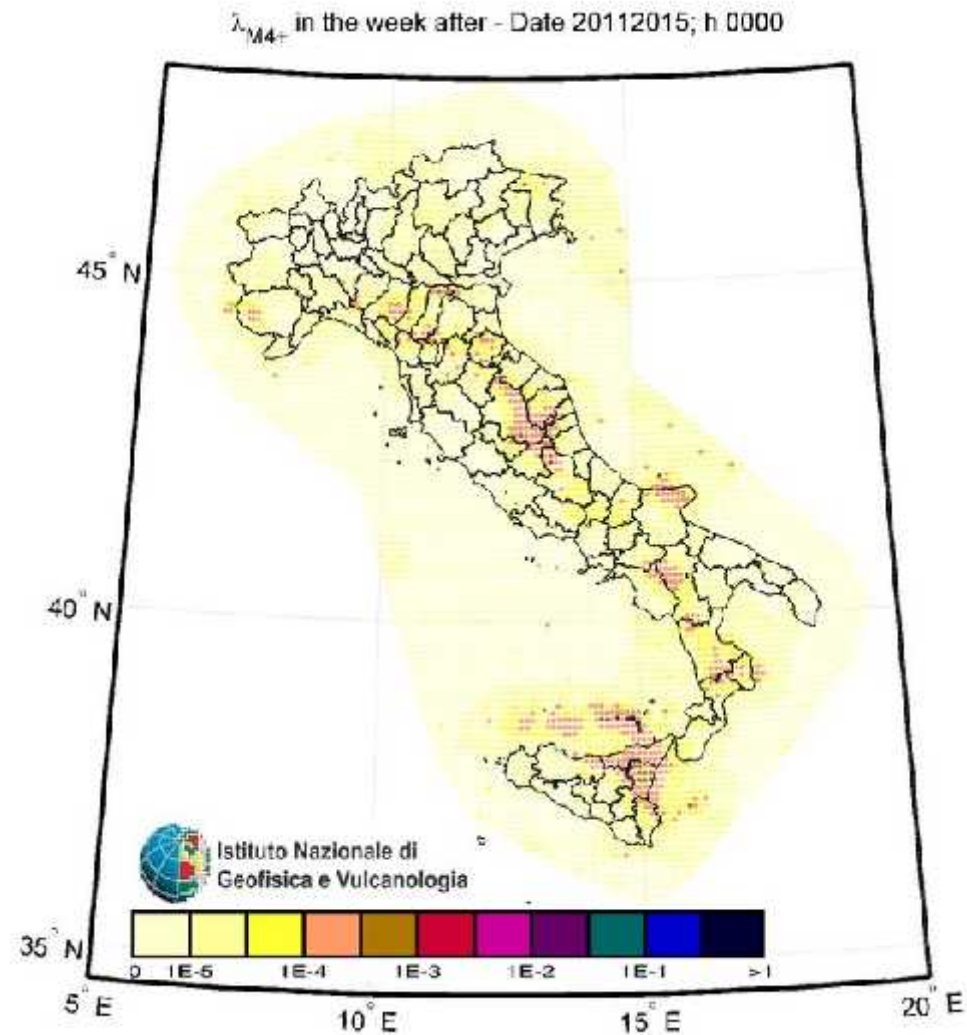


A possible scheme of seismic risk scales

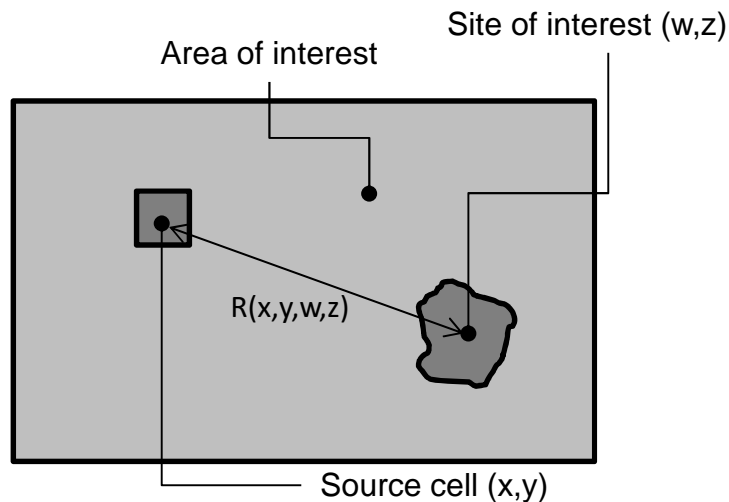


Background and motivation

- The **OEF-Italy** system of **INGV** provides weekly rates of events with magnitude (M) 4+ for a 0.1° grid including the whole country. (Updated daily.)
- The **Italian Civil Protection** asked to investigate whether it is possible (and useful) to use the INGV data to produce consequence estimates.
- The framework is that of **performance-based earthquake engineering**, that is including probabilistic measures of hazard, vulnerability and exposure at a National scale.



1. Probabilistic seismic hazard analysis based on OEF



Rates of events causing some seismic intensity (MS) at a site of interest

Rates of events at (w,z) with MS=ms because of earthquakes occurring at (x,y)

OEF rates at (x,y)

MS prediction equation (attenuation law)

Distribution of M for earthquakes at (x,y)

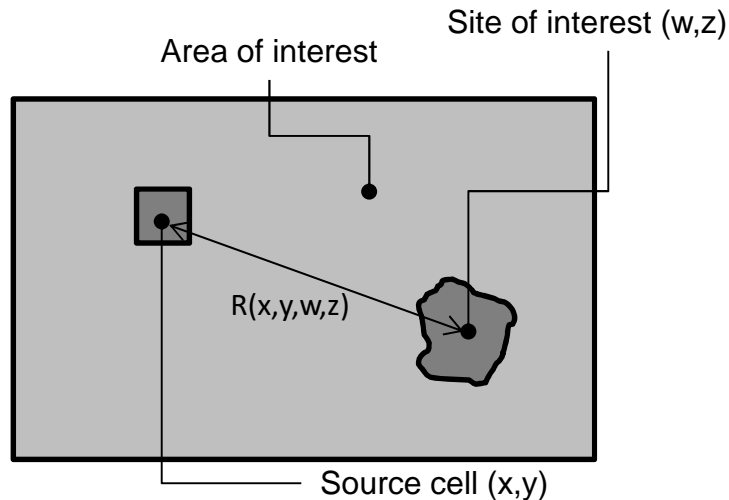
$$\}_{MS=ms} (t, w, z | H(t)) = \}_{(t, x, y | H(t))} \cdot \int_m P[MS = ms | m, R(x, y, w, z)] \cdot f_M(m) \cdot dm$$

Indicating that varies with time (OEF updates)

Indicating dependence on recorded history



2. Weekly rates of events causing building damage



Rates of events causing some damage state (DS) in a building of certain structural typology (k) at site of interest

Rates of events at (w,z) causing DS=ds because of earthquakes occurring in the whole area

OEF rates at (x,y)

Probability of some damage state to a structure of typology K given ms intensity

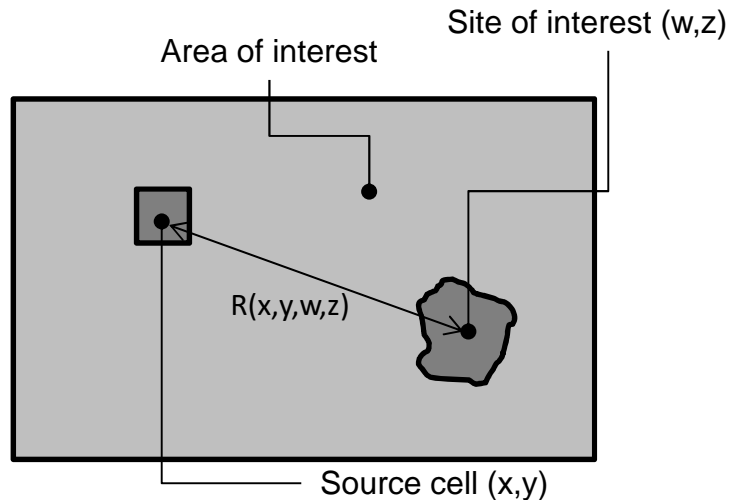
Same as per the previous slide

$$\} _{DS^{(k)}=ds} (t, w, z | H(t)) = \iint_{x,y} \} (t, x, y | H(t)) \cdot \sum_{ms} P[DS^{(k)} = ds | ms] \cdot \int_m P[MS = ms | m, R(x, y, w, z)] \cdot f_M(m) \cdot dm \cdot dy \cdot dx$$

Summing up over all source cells gives the total damage rate at (w,z) site



3. Weekly rates of events causing individual loss



Rates of events causing some individual consequence to an occupant of a building of a given structural typology (k) at site of interest

Rates of events at (w,z) causing casualty in buildings of typology k

OEF rates at (x,y)

Summation is to account that casualty can be caused by any DS

Probability of casualty in a building of typology K given damage state DS=ds

$$\begin{aligned} \} Cas^{(k)}(t, w, z | H(t)) &= \iint_{x,y} \} (t, x, y | H(t)) \cdot \sum_{ds} P[Cas^{(k)} | ds] \times \\ &\times \sum_{ms} P[DS^{(k)} = ds | ms] \cdot \int_m P[MS = ms | m, R(x, y, w, z)] \cdot f_M(m) \cdot dm \cdot dx \cdot dy \end{aligned}$$

Same as per the previous slide



Expected losses in the week after the OEF rates release

Expected number of buildings
of typology k at (w,z) in damage
state $DS=ds$ in the week after
OEF rates release

Buildings

Rate of events
causing damage

$$E \left[N_{ds,(t,t+\Delta t)}^{(k)} \middle| H(t) \right] \approx N_B^{(k)} \cdot \} _{DS^{(k)}=ds} \left(t, w, z \middle| H(t) \right) \cdot \Delta t$$

Expected number of
displaced and shelter-
seeking people

One week

Expected number of casualties
due to damage in the week after
OEF rates release

Occupants in
buildings

Rate of events
casualties in
buildings

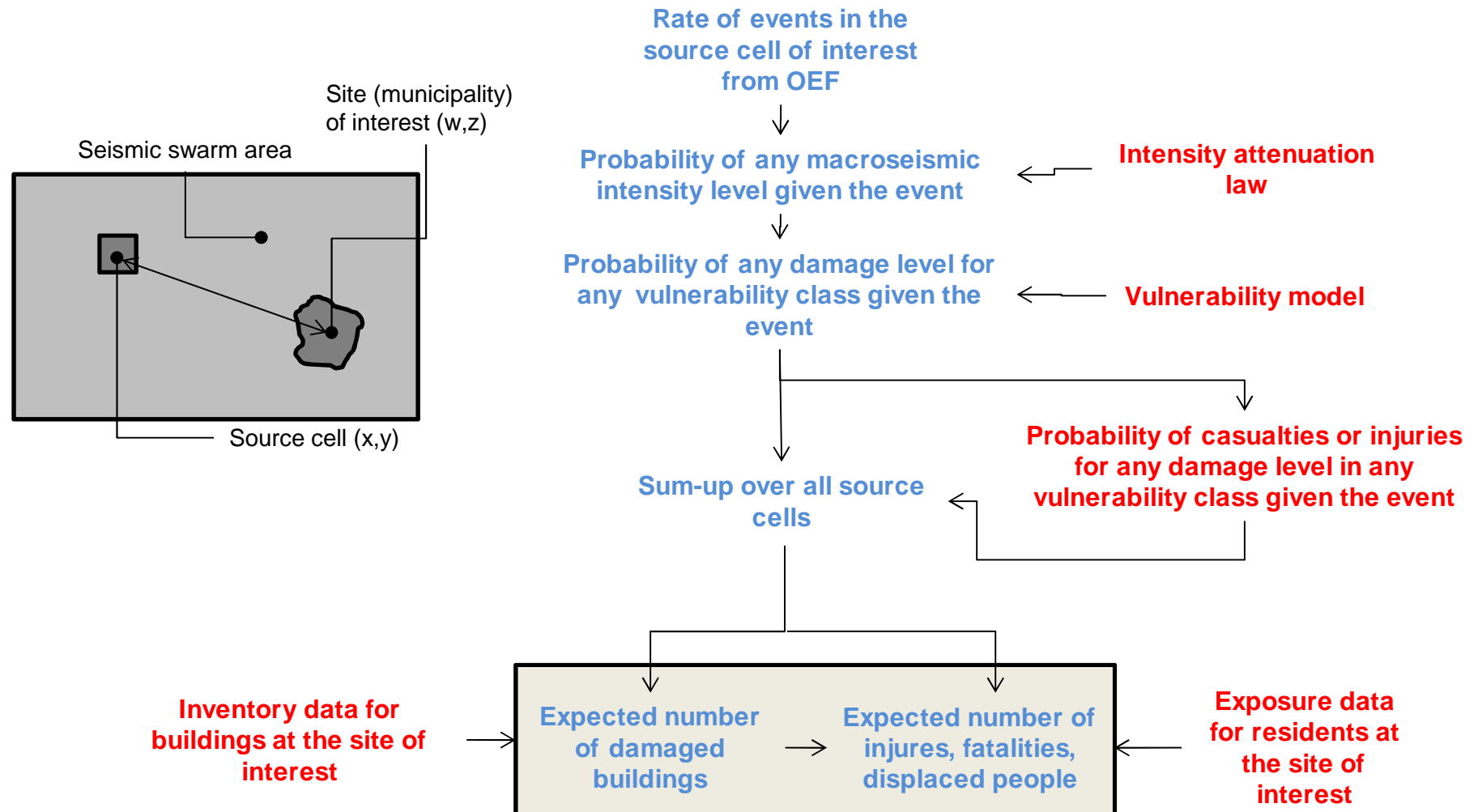
$$E \left[N_{Cas,(t,t+\Delta t)}^{(k)} \middle| H(t) \right] \approx N_P^{(k)} \cdot \} _{Cas^{(k)}} \left(t, w, z \middle| H(t) \right) \cdot \Delta t$$

Expected number of
fatalities and injuries

One week



Operational earthquake loss forecasting (OELF) procedure summary



Vulnerability based on damage probability matrices

Class	MS	DS0	DS1	DS2	DS3	DS4	DS5
A	5	0.3487	0.4089	0.1919	0.0450	0.0053	0.0002
B	5	0.5277	0.3598	0.0981	0.0134	0.0009	0.0000
C	5	0.6591	0.2866	0.0498	0.0043	0.0002	0.0000
D	5	0.8587	0.1328	0.0082	0.0003	0.0000	0.0000
A	6	0.2887	0.4072	0.2297	0.0648	0.0091	0.0005
B	6	0.4437	0.3915	0.1382	0.0244	0.0022	0.0001
C	6	0.5905	0.3281	0.0729	0.0081	0.0005	0.0000
D	6	0.7738	0.2036	0.0214	0.0011	0.0000	0.0000

Probabilities of casualty given structural damage

Loss	Structural Typology	Vulnerability Class	DS0	DS1	DS2	DS3	DS4	DS5
Fatalities	Masonry	A or B or C	0	0	0	0	0.04	0.15
Fatalities	R.C.	C or D*	0	0	0	0	0.08	0.3
Injuries	Masonry	A or B or C	0	0	0	0	0.14	0.7
Injuries	R.C.	C or D*	0	0	0	0	0.12	0.5

Exposure by municipality

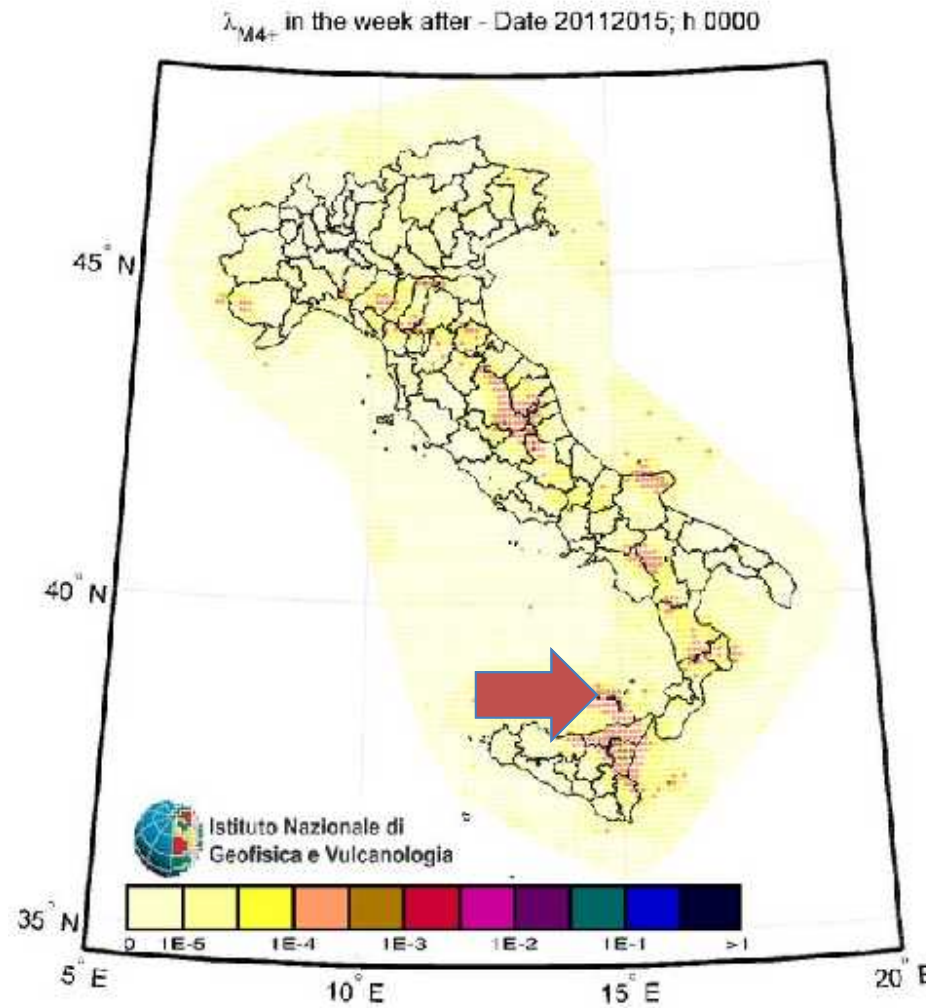
Code	Name	Prov.	A	B	C	D	ab_A	ab_B	ab_C	ab_D
1001	Agliè	001	222	163	286	186	697	535	350	990
1002	Airasca	001	75	60	152	138	497	351	357	2350
1003	Ala di Stura	001	186	209	220	47	218	100	64	95
1004	Albiano d'Ivrea	001	192	147	80	84	646	419	199	432
1005	Alice Superiore	001	136	121	85	76	177	116	51	270
1006	Almese	001	261	318	511	792	1006	741	547	3364
1007	Alpette	001	144	125	122	42	116	51	32	101
1008	Alpignano	001	222	288	620	832	1214	1400	1573	12461
1009	Andezeno	001	153	110	83	116	512	315	164	714
1010	Andrate	001	141	131	123	44	250	104	61	62

Buildings per vulnerability class

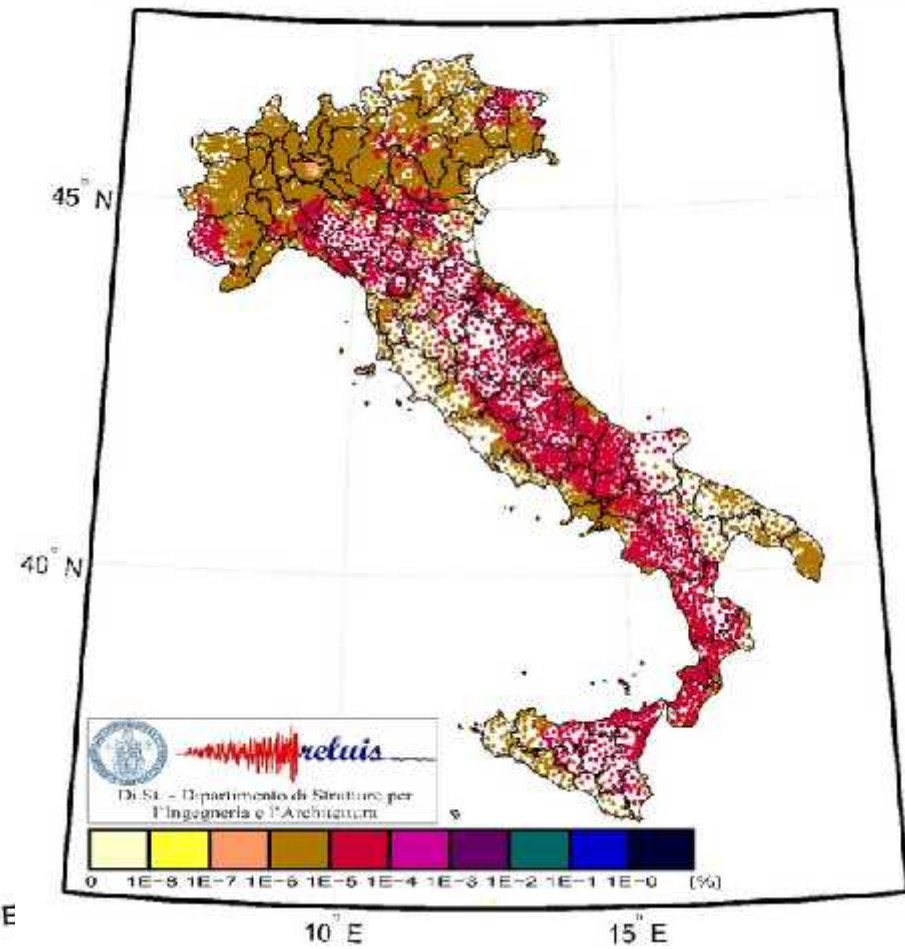
Residents per
vulnerability class



MANTIS K. The system for continuous OELF in Italy*



Fatalities per 100 residents in the week after - Date 20112015; UTC 0000

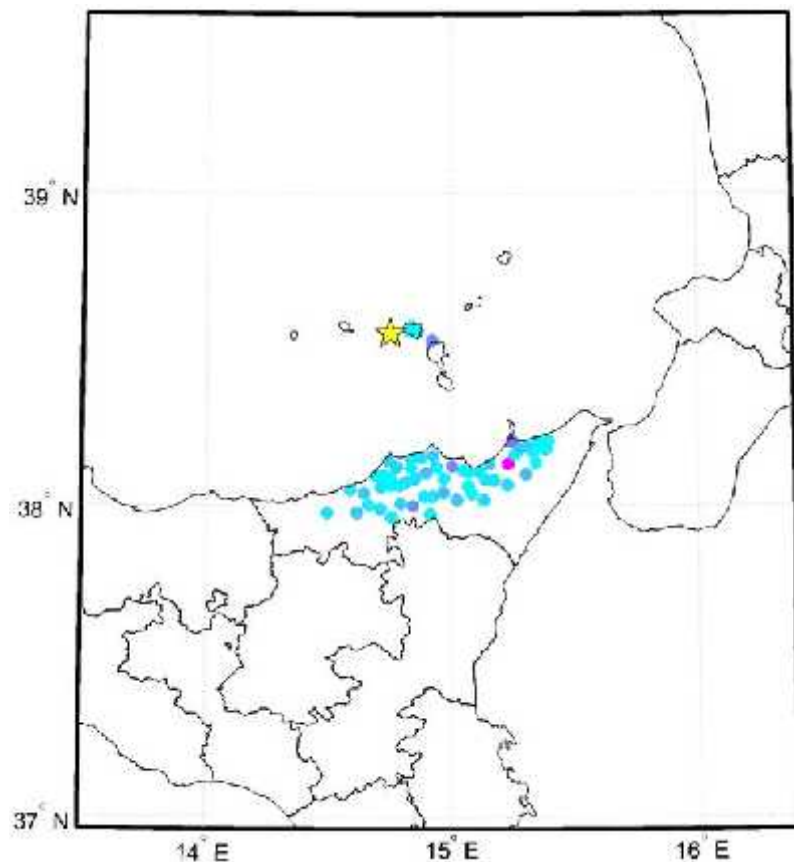


*Iervolino I., Chioccarelli E., Giorgio M., Marzocchi M., Zuccaro G., Dolce M., Manfredi G. (2015) Operational (short-term) earthquake loss forecasting in Italy. Bulletin of the Seismological Society of America 105: 2286–2298.



Local OELF at 00:00 of November 20 2015 (around the cell with maximum OEF rate)

Area of interest

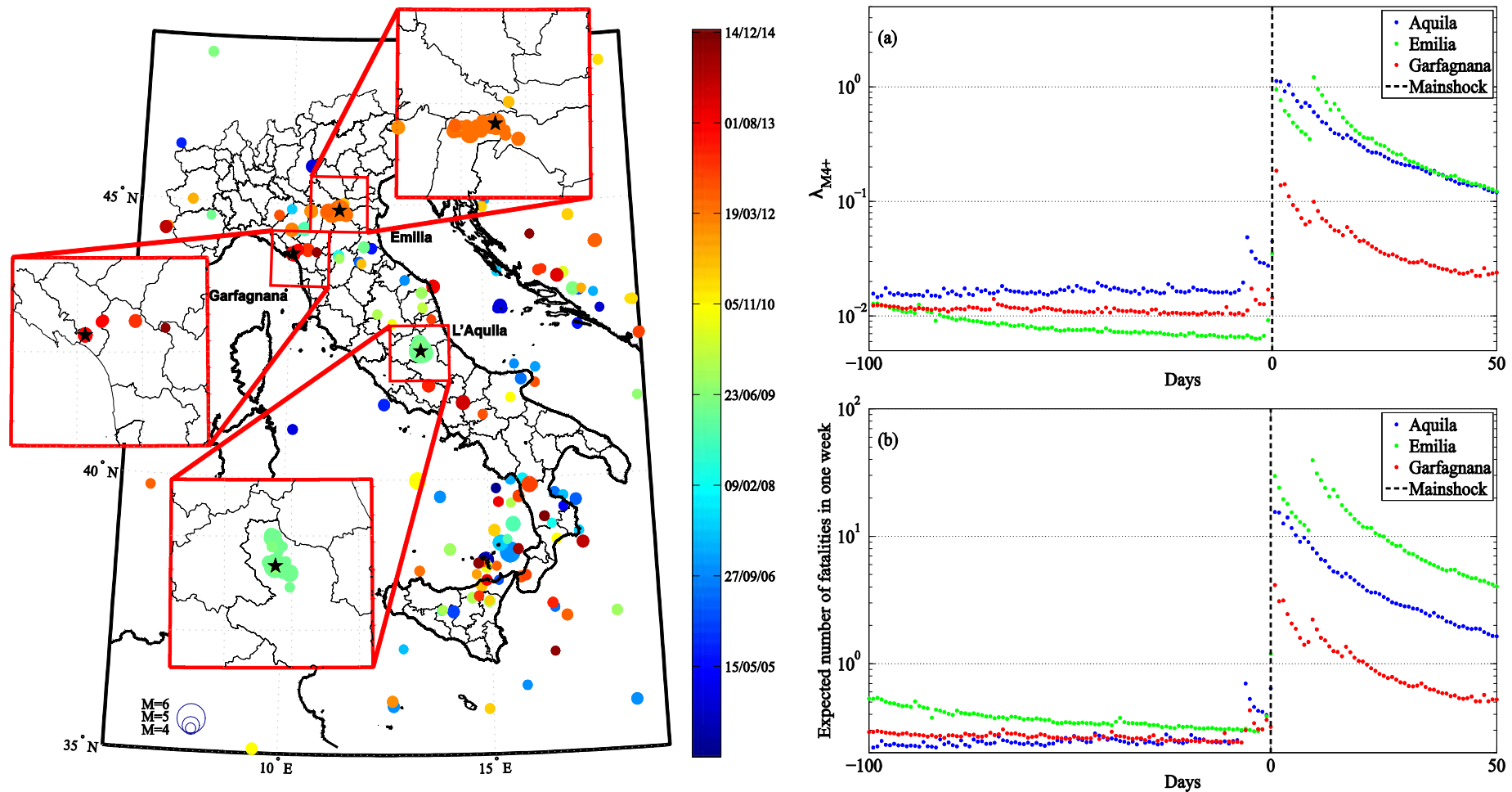


Expected weekly losses (Nov. 20-26)

Distance from the maximum rate	Total number of buildings	Total number of residents	Collapsed buildings	Displaced	Injuries	Fatalities
< 10km	1708	2299	0.04	0.14	0.006	0.002
< 30km	8180	12538	0.11	0.57	0.024	0.006
< 50km	20667	47986	0.22	1.36	0.053	0.014
< 70km	97417	277682	1.03	8.48	0.333	0.088



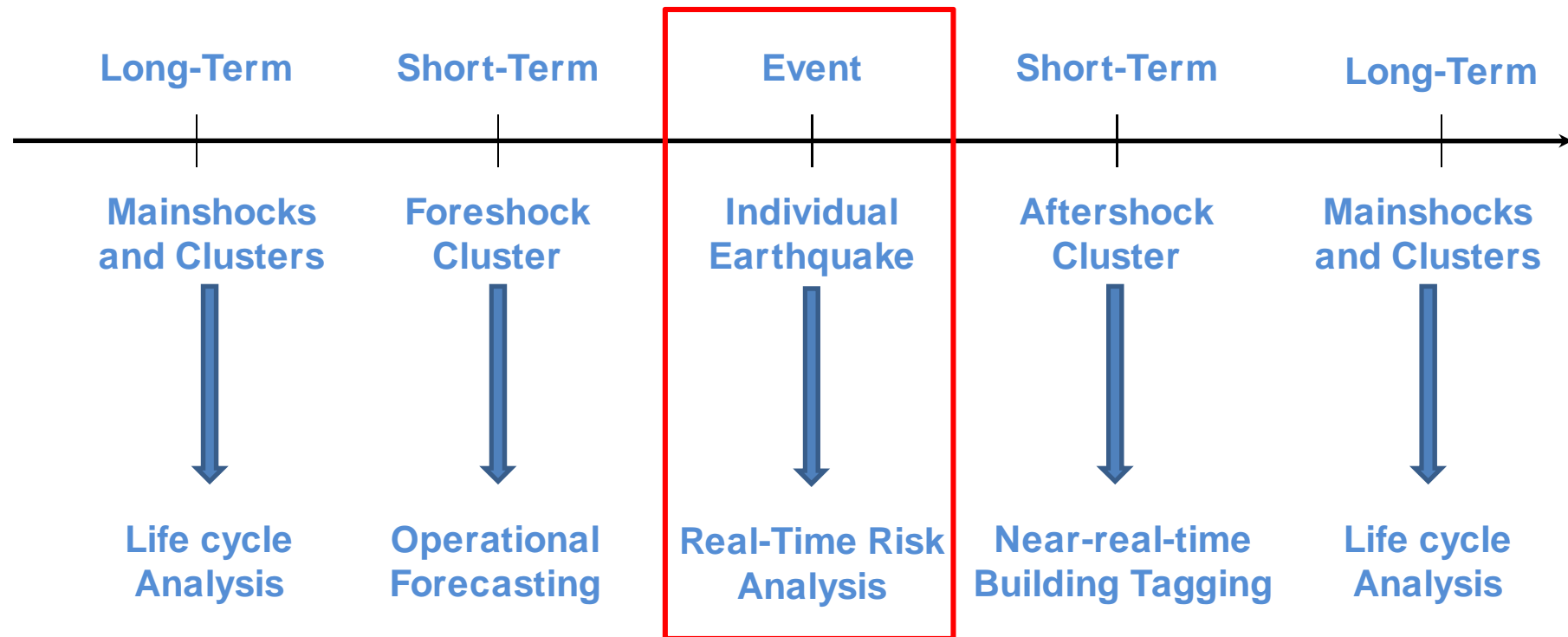
A critical retrospective analysis of OELF based on some recent Italian seismic sequences*



*Chioccarelli E., Iervolino I. (2015) Operational earthquake loss forecasting: a retrospective analysis of some recent Italian Seismic Sequences. *Bulletin of Earthquake Engineering*. DOI: 10.1007/s10518-015-9837-8



A possible scheme of seismic risk scales

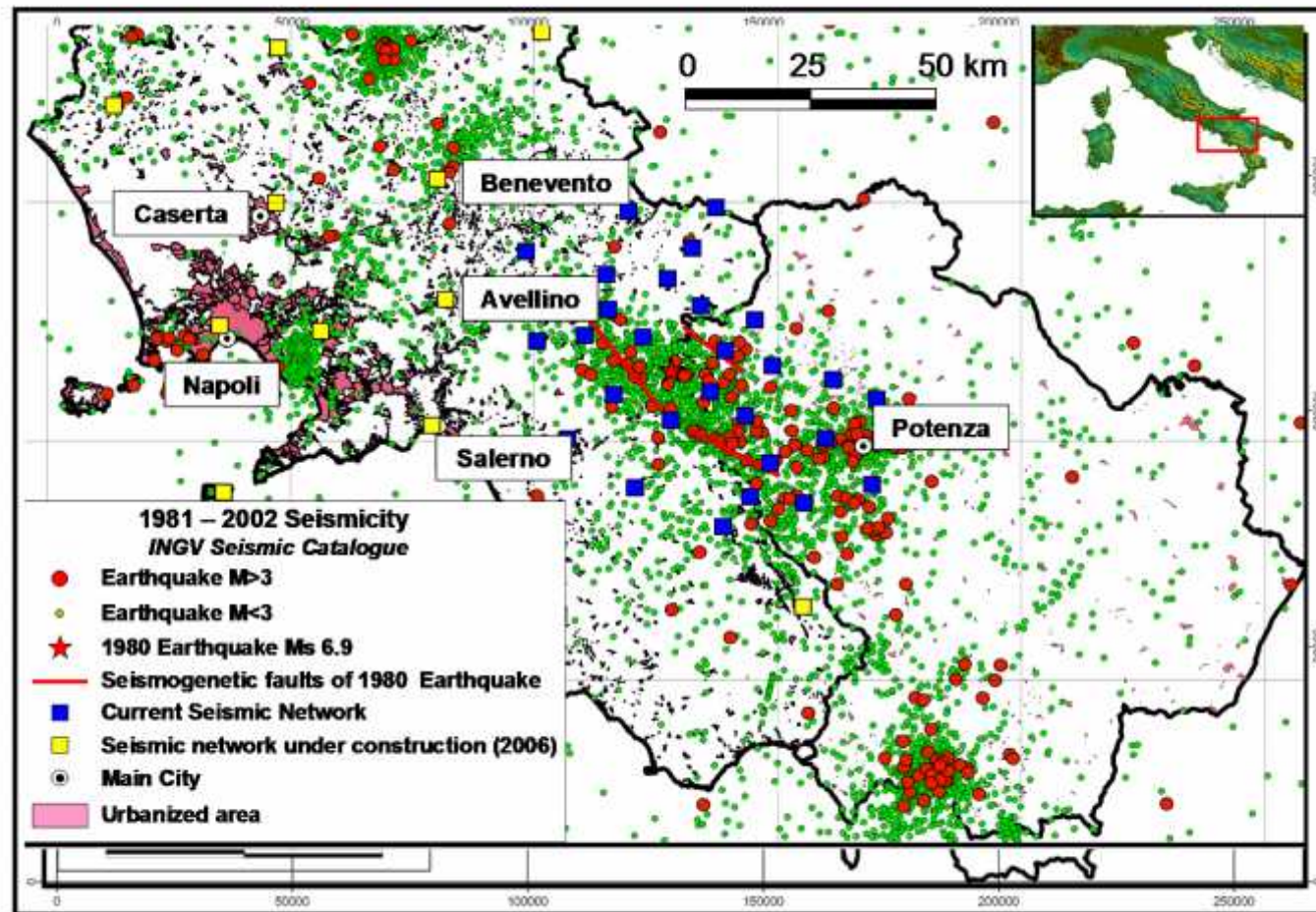


Basic elements of an EEW system*

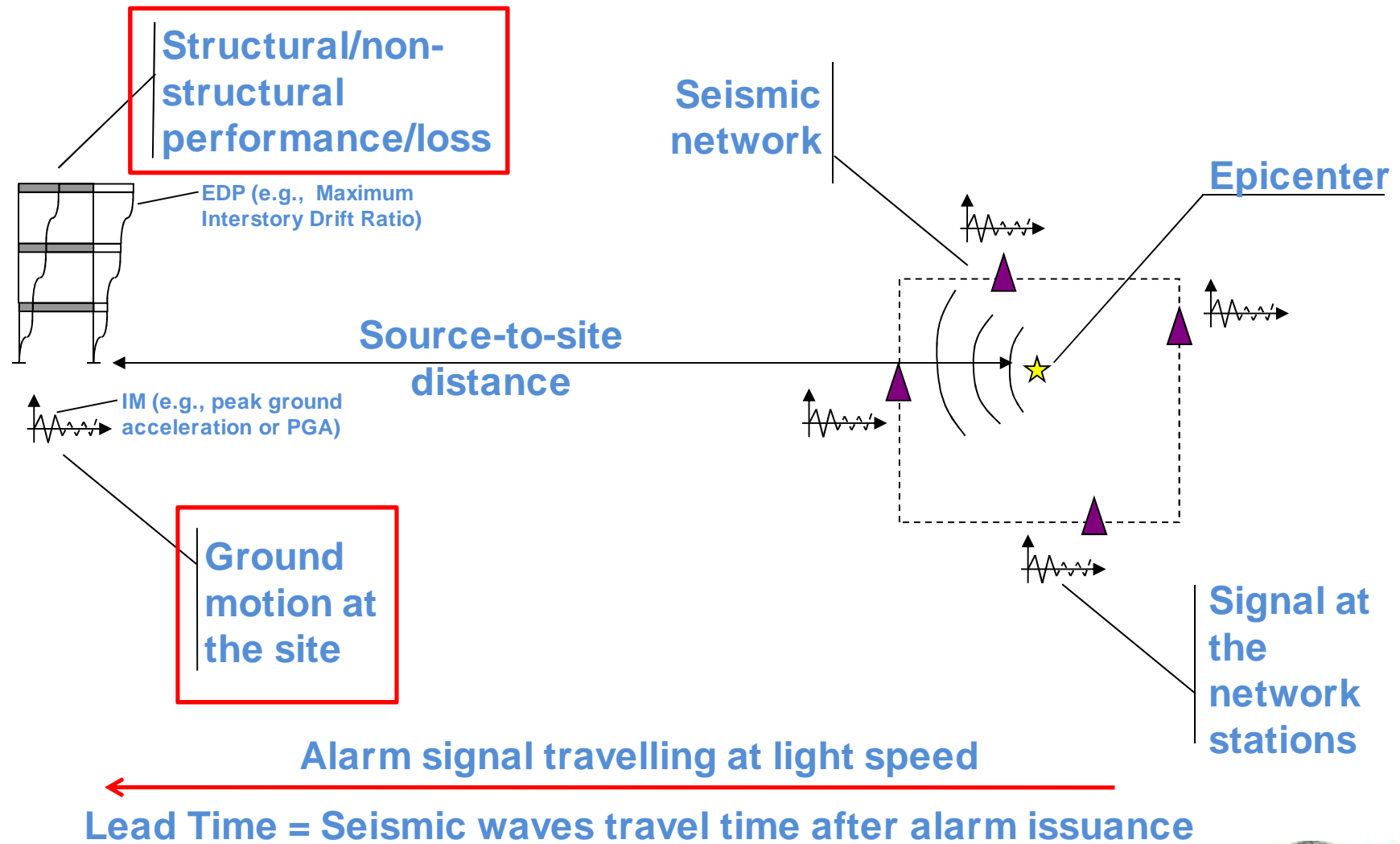
1. A seismic sensor network with real-time capabilities;
2. An unit, local or central, to process the data of the sensor network and to eventually issue the alarm;
3. A transmission infrastructure to issue the warning to the structure, system, or community to alert;
4. An automated system aimed at risk reduction for structures.



ISNet – Irpinia Seismic Network*



Structure-specific early warning via regional seismic networks: problem statement



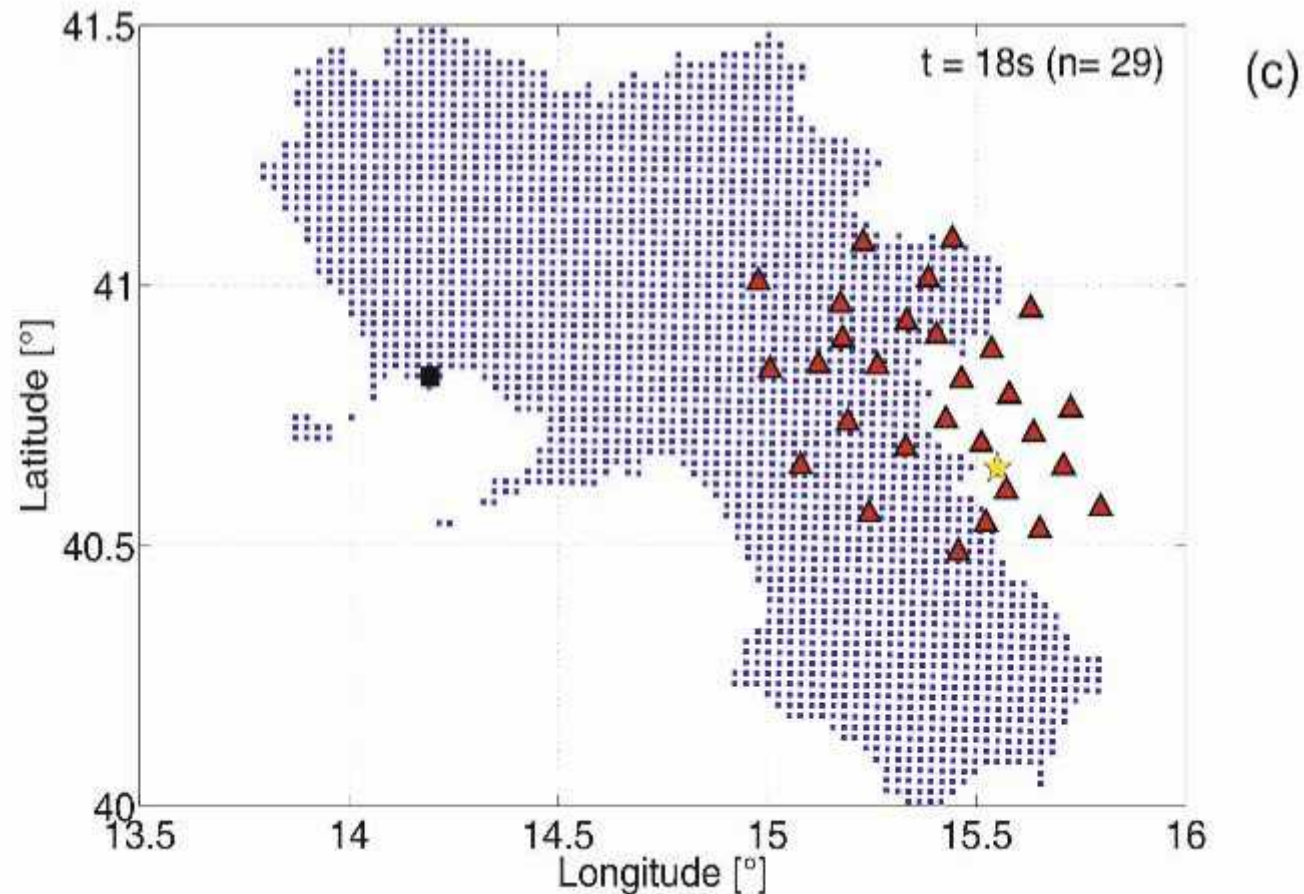
This problem required a strong interdisciplinary approach of:

- 1) Seismologists for the real-time estimation of source features **(Real-Time Seismology)**;
- 2) ICT specialists to enable real-time computation and transmission;
- 3) Earthquake engineers for the alarming decision and design of risk mitigation actions **(Performance-Based Earthquake Early Warning,* or PBEW)**.



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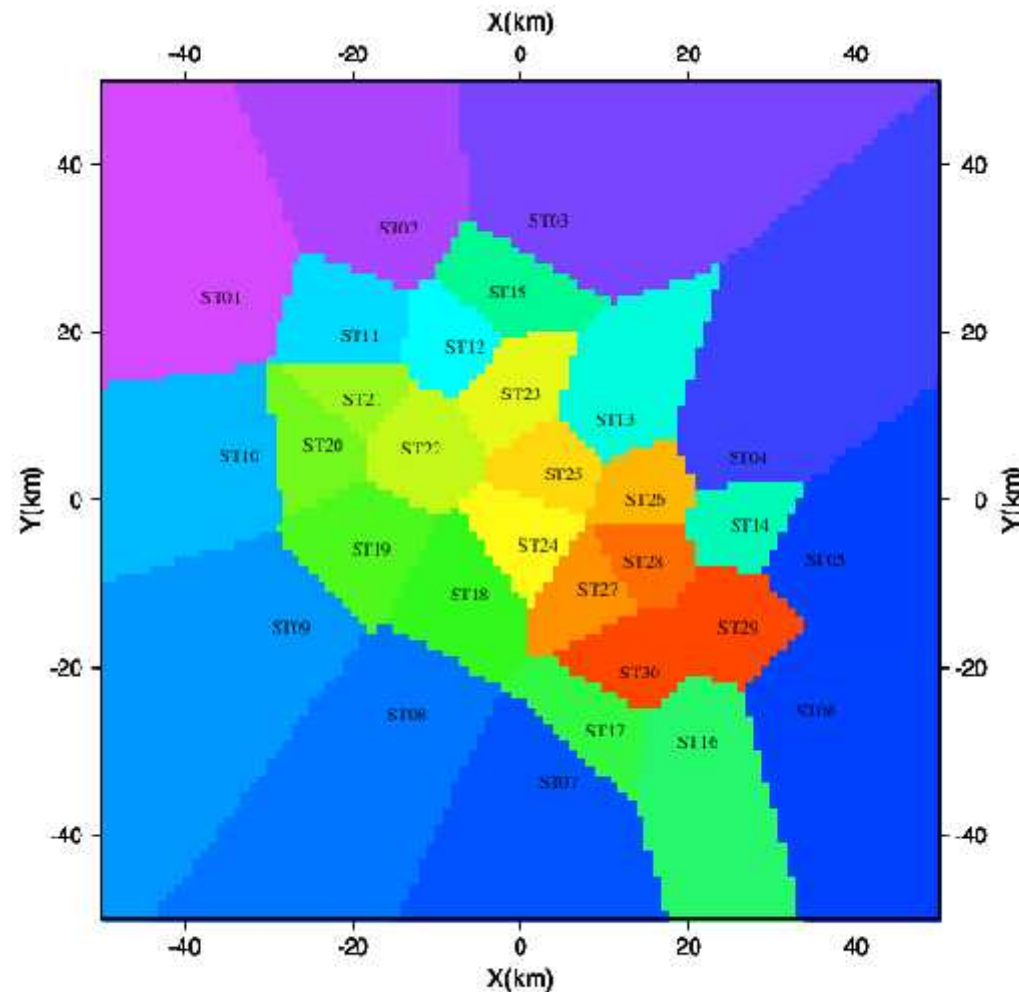
Making use of real-time information to quantify uncertainty on earthquake magnitude: Bayesian updating



 = τ available



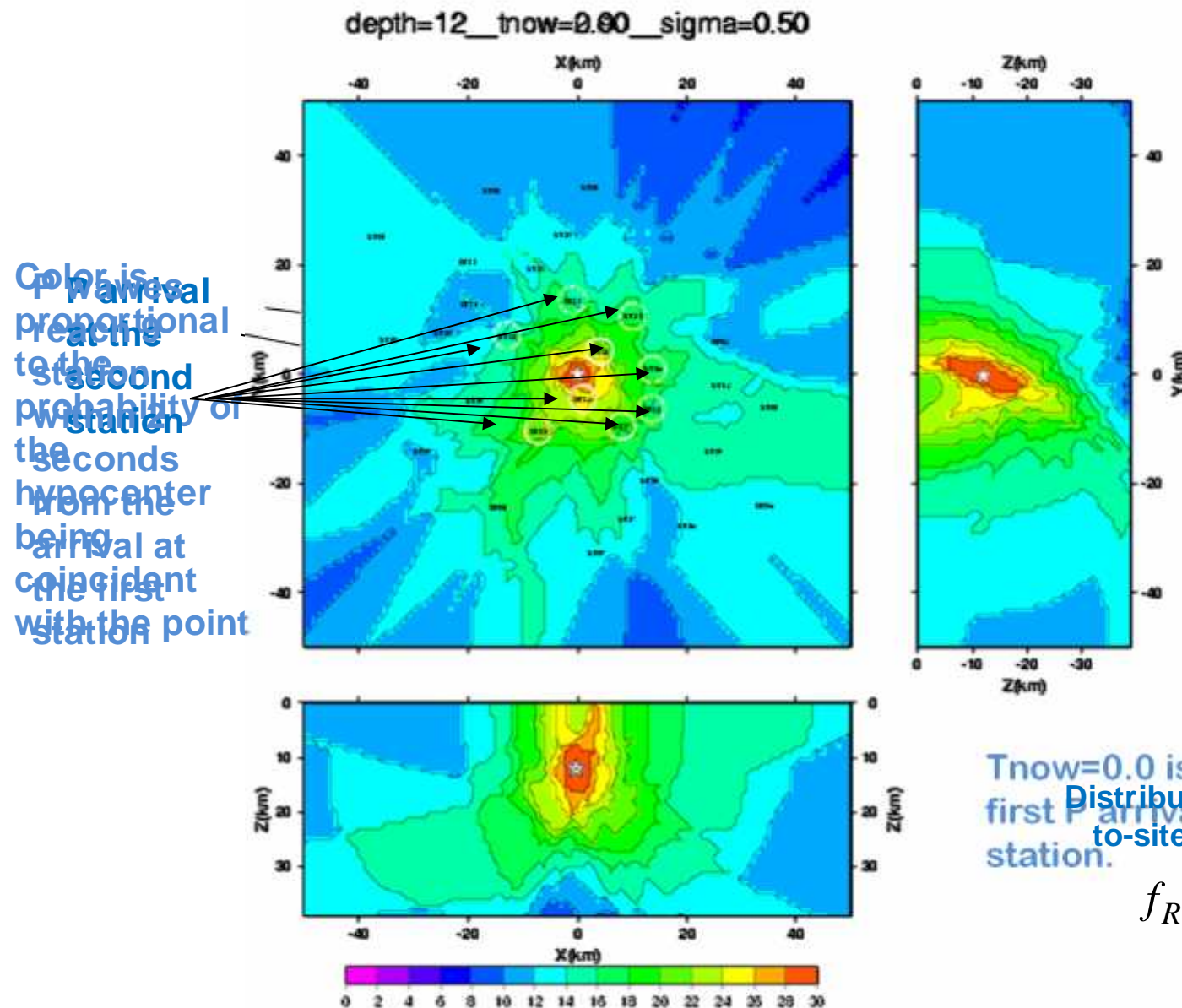
Real-time seismology: earthquake location (1)



Voronoi cells approach provides the earthquake location given that the first P-wave arrival is recorded at the closest station.*



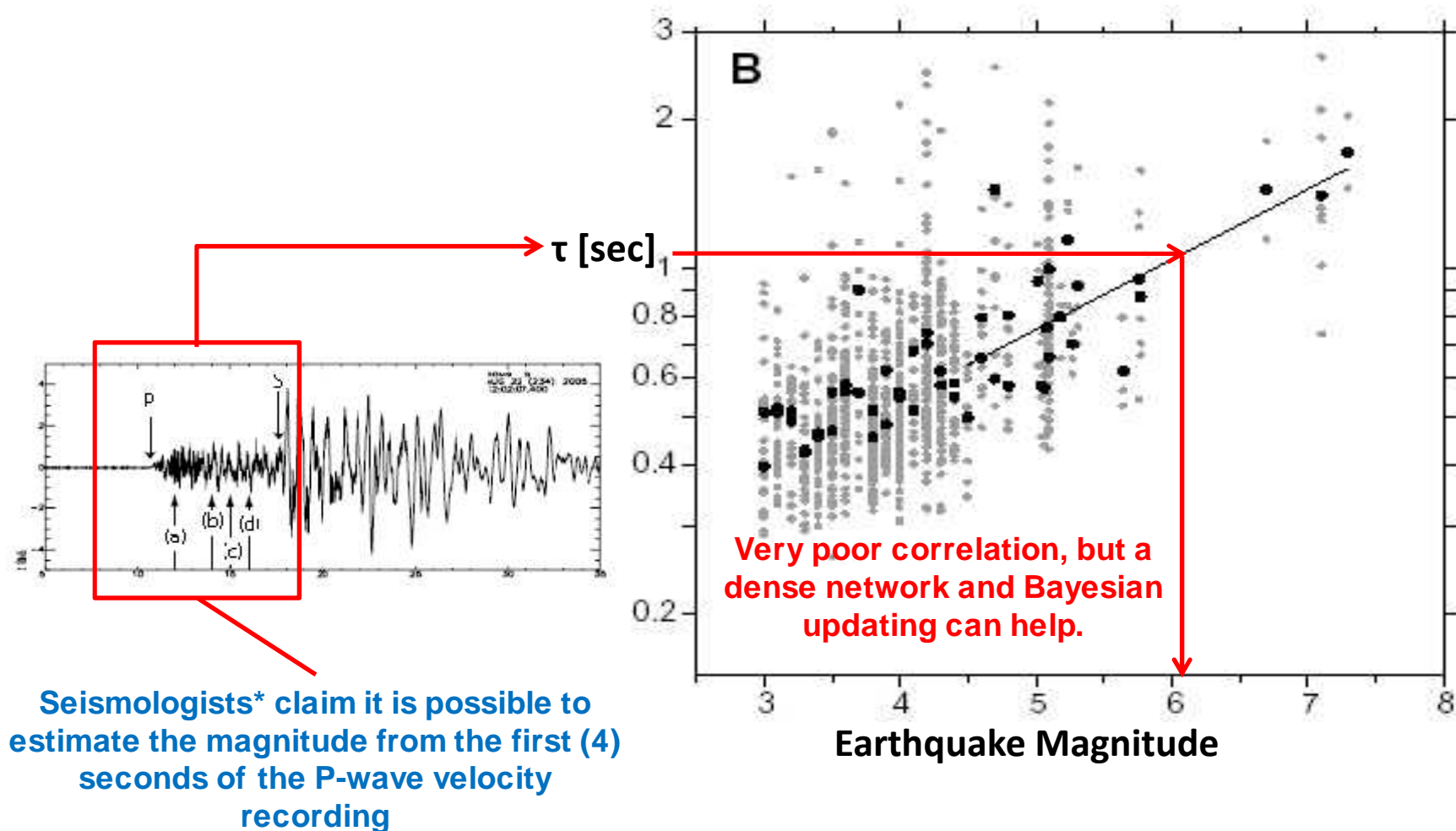
Real-time seismology: earthquake location (2)



Tnow=0.0 is the time of the first P arrival at the closest station.



Real-time seismology: earthquake magnitude

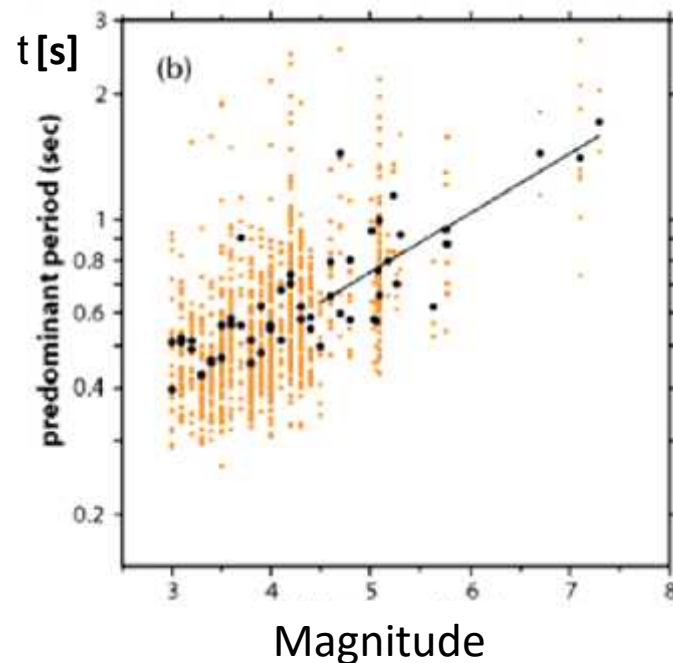


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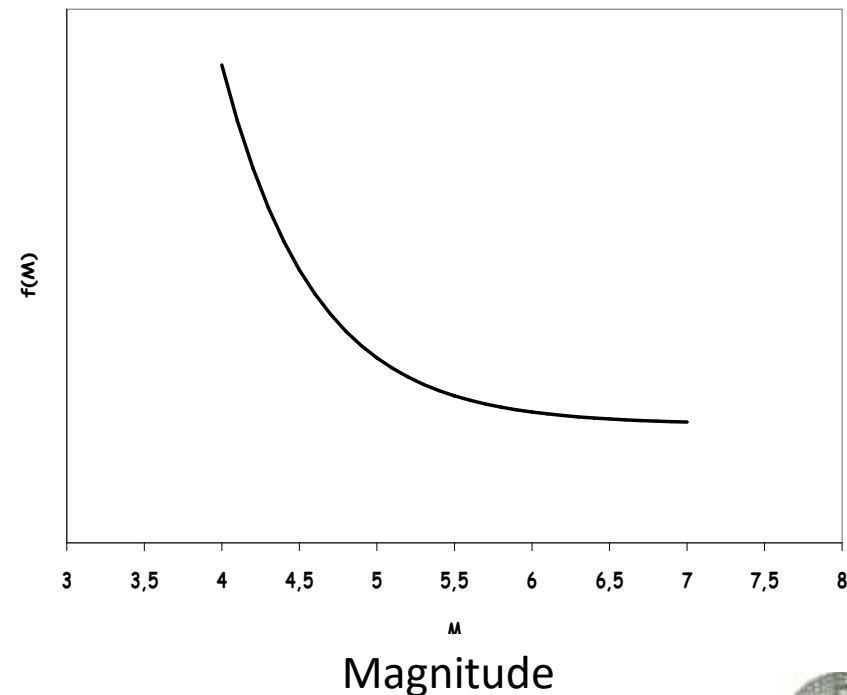
Making use of real-time information to quantify uncertainty on earthquake magnitude: Bayesian updating* (2)

$$f_{M|\mathbb{I}}(m) = c \cdot e^{\left(2 \cdot \sim_{\log(\mathbb{I})} \cdot \left(\sum_{i=1}^n \ln(\mathbb{I}_i)\right) - n \cdot \sim_{\log(\mathbb{I})}^2\right) / 2 \cdot \mathbb{I}_{\log(\mathbb{I})}^2} \quad e^{-Sm} = f_{M|\mathbb{I}}(m)$$

Real-Time measurements



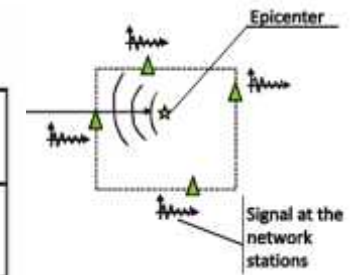
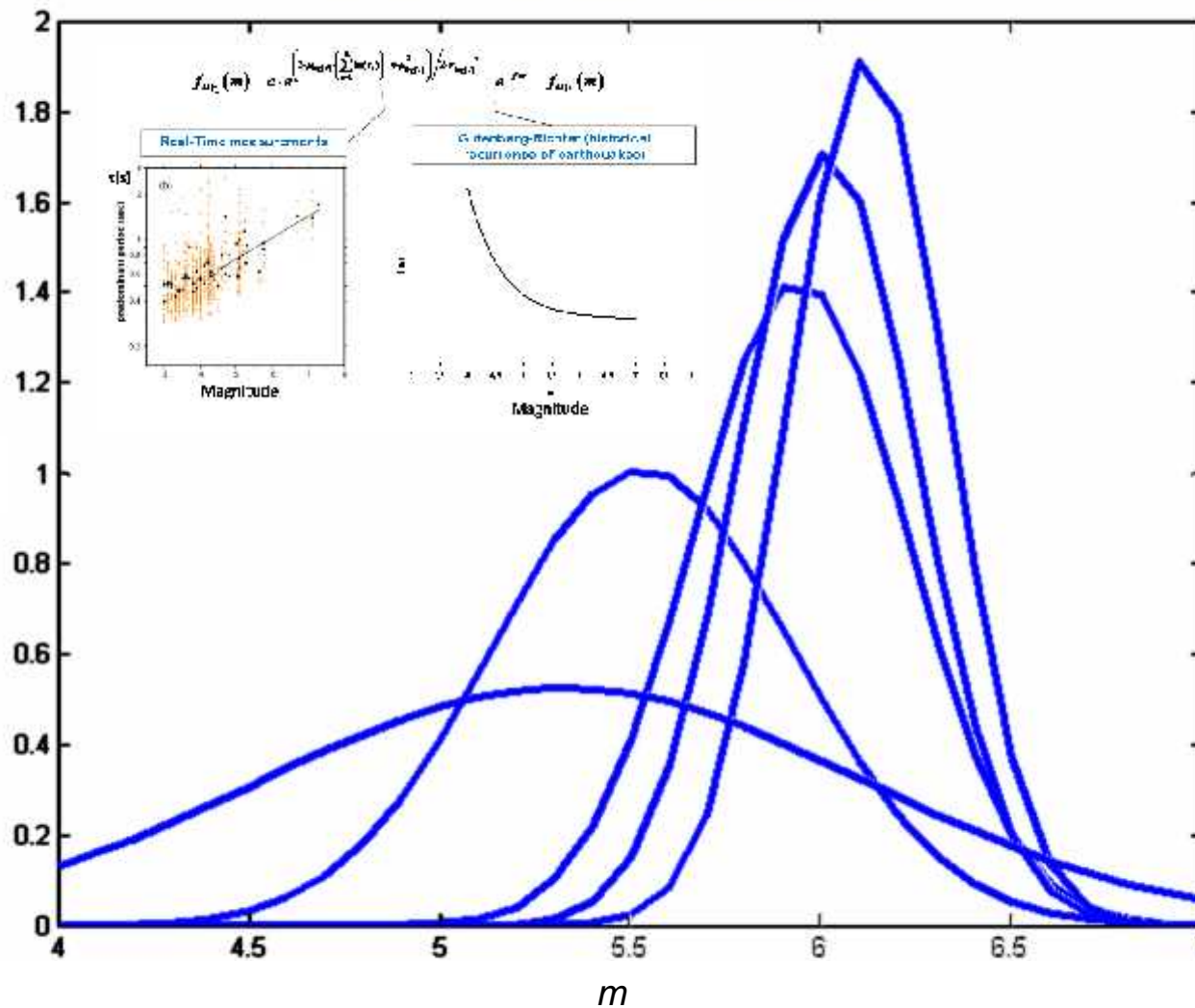
Gutenberg-Richter (historical recurrence of earthquakes)



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M 6 event simulation

$$f_{M|\hat{\tau}}(m)$$



$t \equiv 0.2s$

30 stations

Real-Time Probabilistic Seismic Hazard Analysis (RT-PSHA)**

Real-Time
probabilistic
seismic hazard

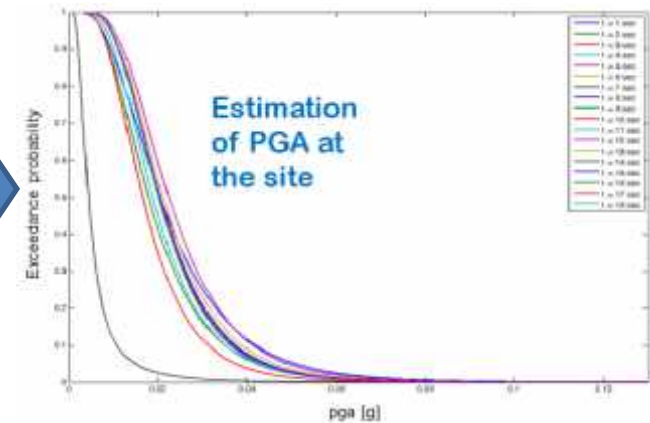
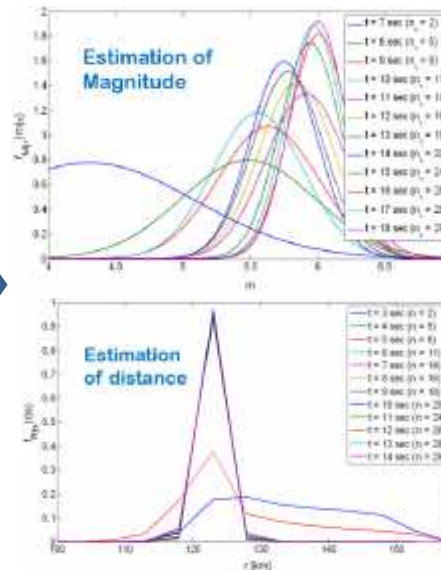
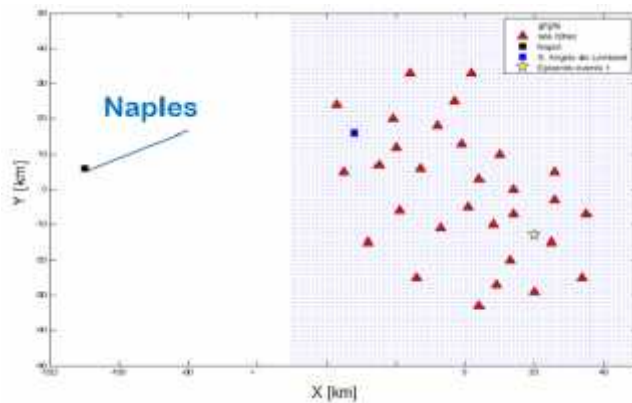
$$P[PGA > pga | \underline{\tau}, \underline{s}] = \int \int_{M R} P[PGA > pga | M = m, R = r] \cdot f_{M|\tau_1, \tau_2, \dots, \tau_n}(m) \cdot f_{R|s_1, s_2, \dots, s_n}(r) \cdot dr \cdot dm$$

Distribution of PGA at
the site conditional on
the measures of the
seismic instruments

Ordinary
Attenuation
relationship

Distribution of
magnitude
conditional on the
real-time measures

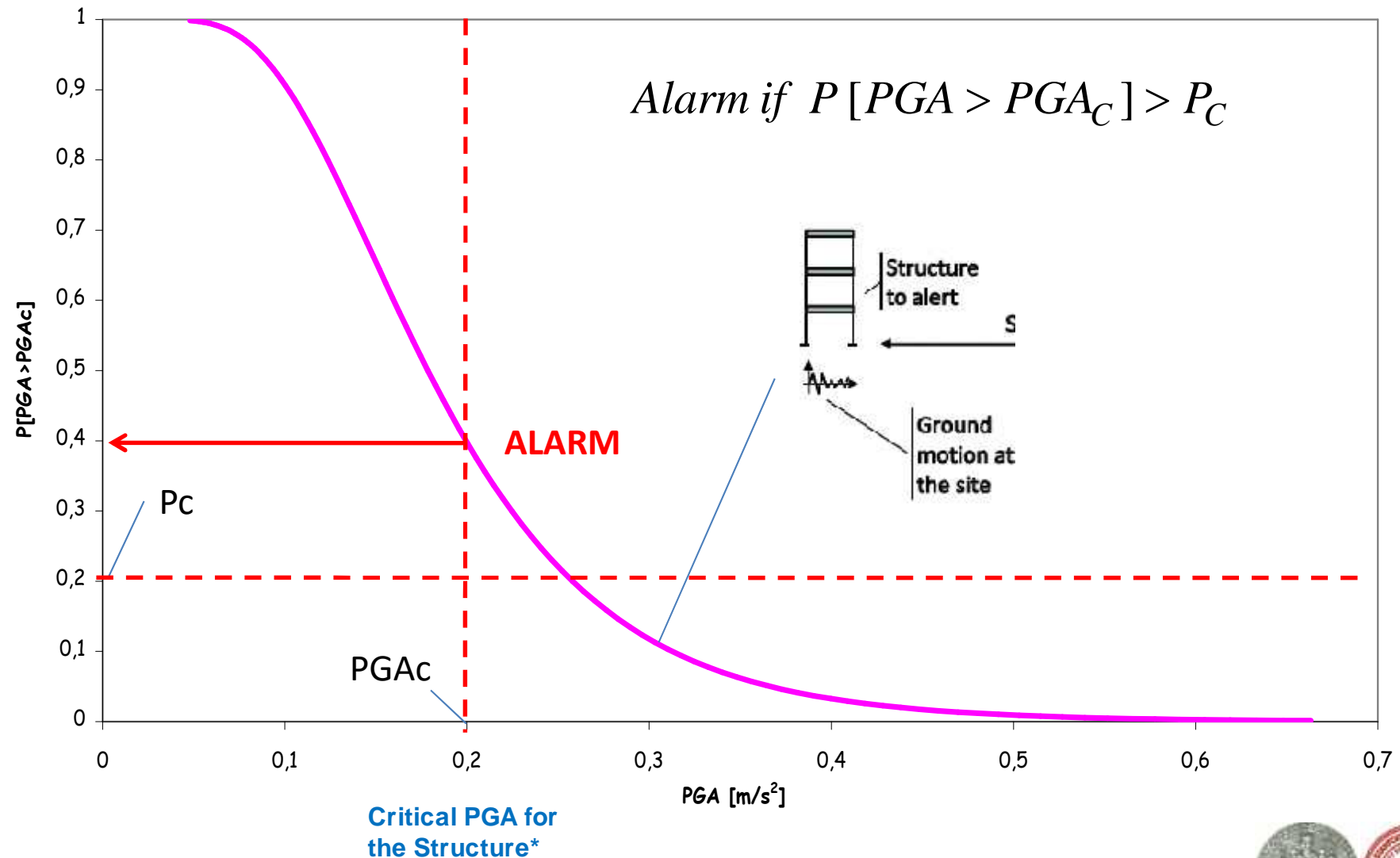
Distribution of source-
to-site distance due to
rapid localization
method



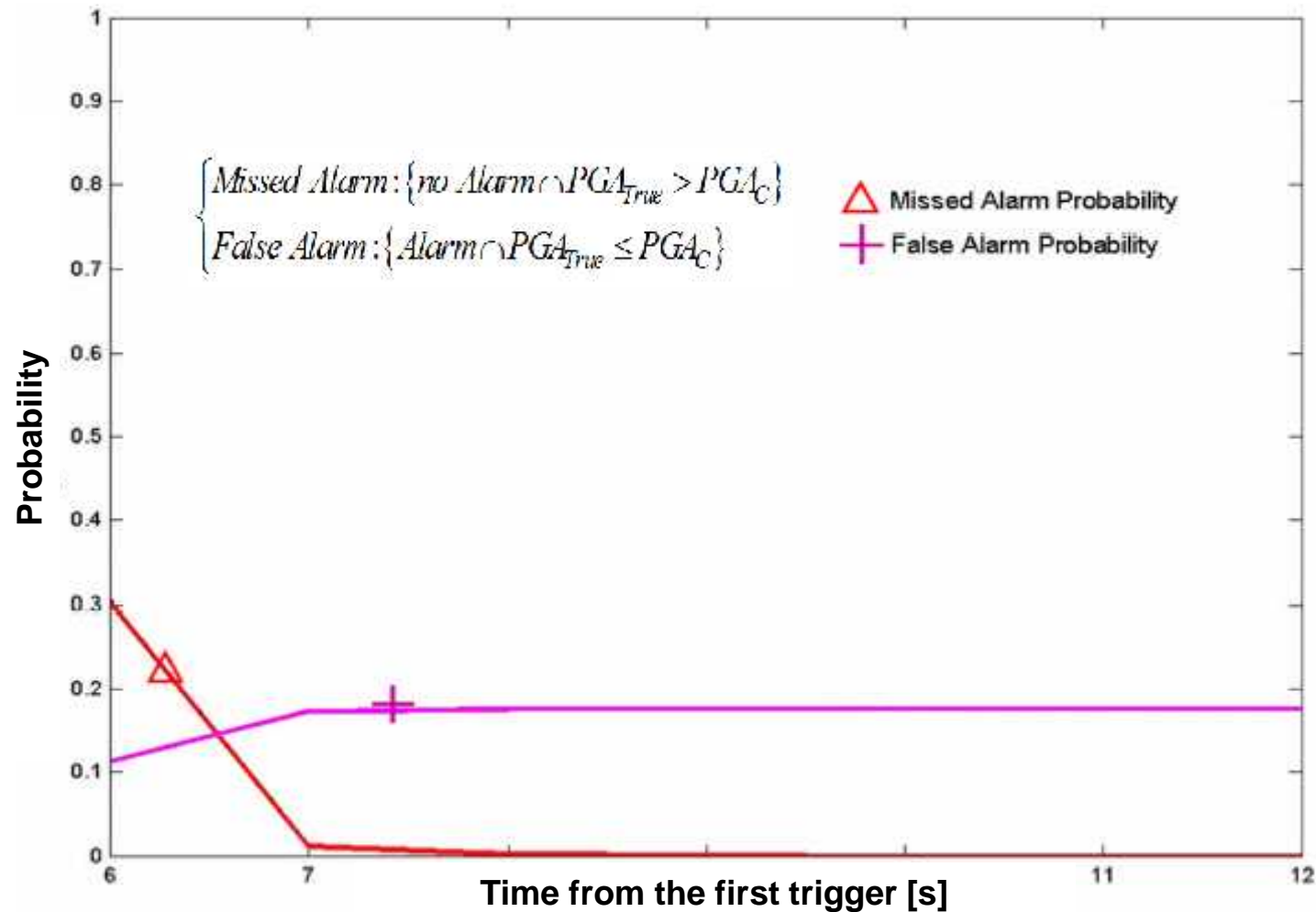
*Iervolino, I., Convertito, V., Giorgio, M., Manfredi, G., Zollo, A. (2006). Real-time risk analysis for hybrid earthquake early warning systems. *Journal of earthquake Engineering*, 10, 867–885.

**Convertito V., Iervolino I., Manfredi G., Zollo A. (2008) Prediction of response spectra via real-time earthquake measurements. *Soil Dynamics and Earthquake Engineering*, 28, 492–505.

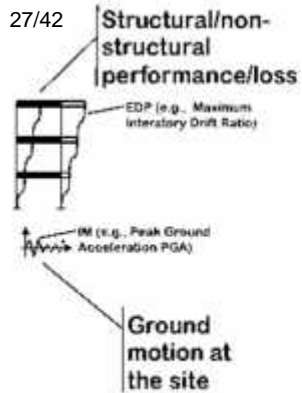
When to activate security measures?



How missed and false alarms may be defined according to this approach?*

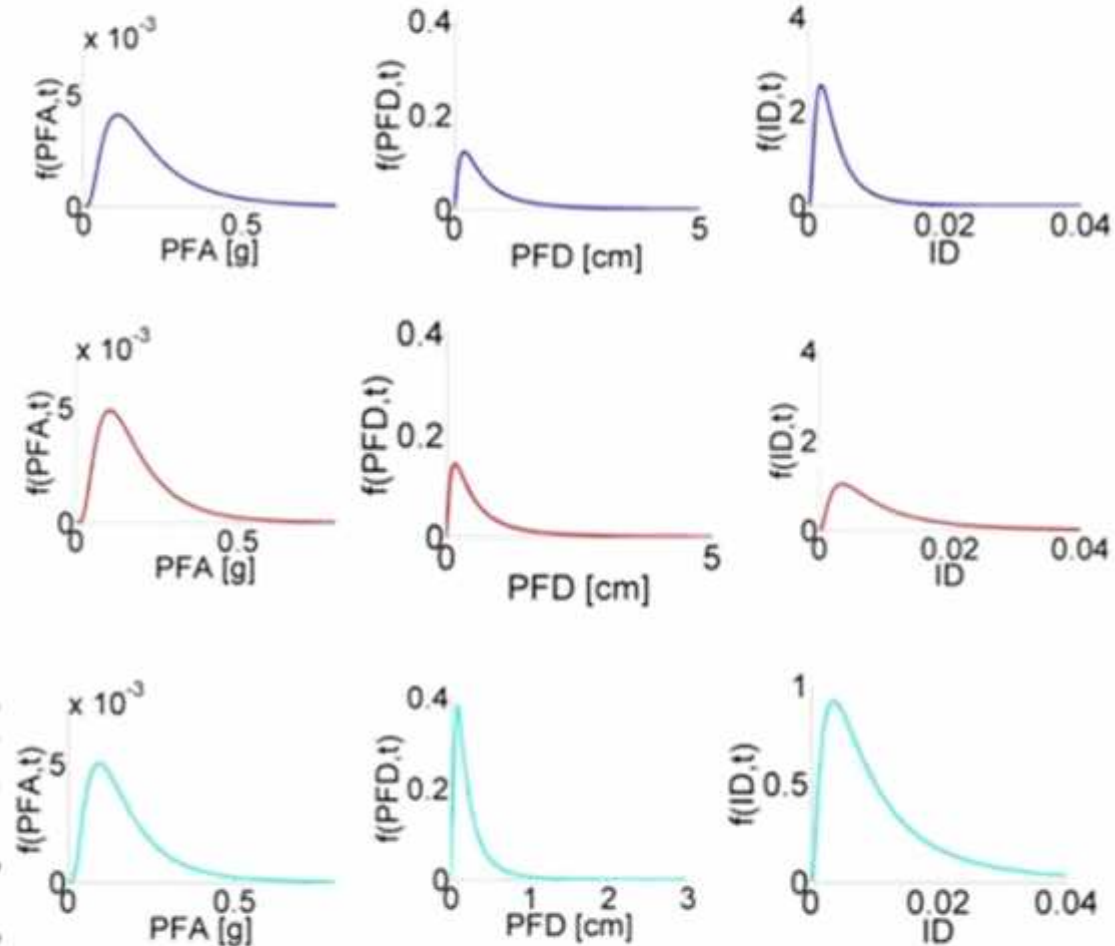
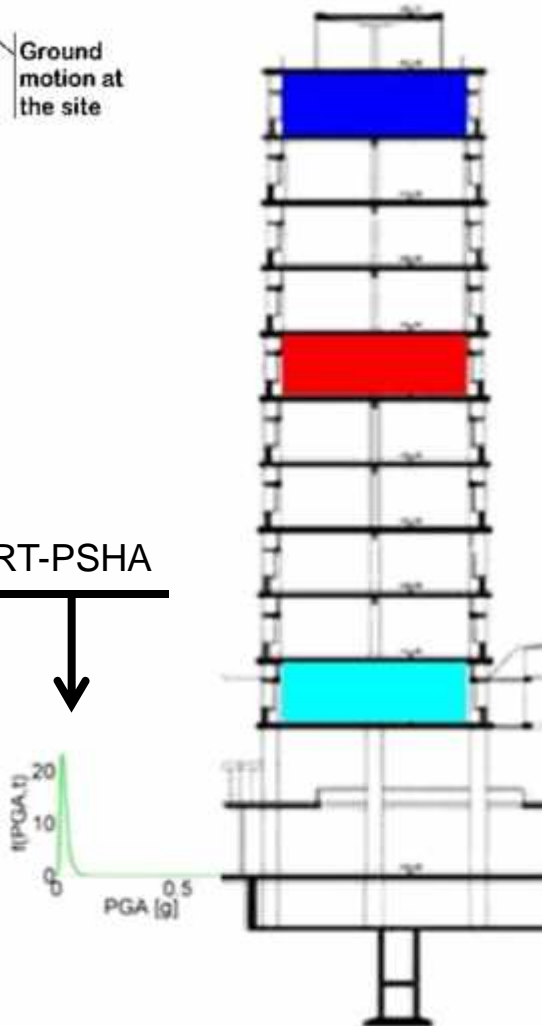


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$$f_{EDP|\hat{\ddot{u}}}(edp) = \int_{im} f_{EDP|IM}(edp) \cdot f_{IM|\hat{\ddot{u}}}(im) \cdot d(im)$$

RT-PSHA



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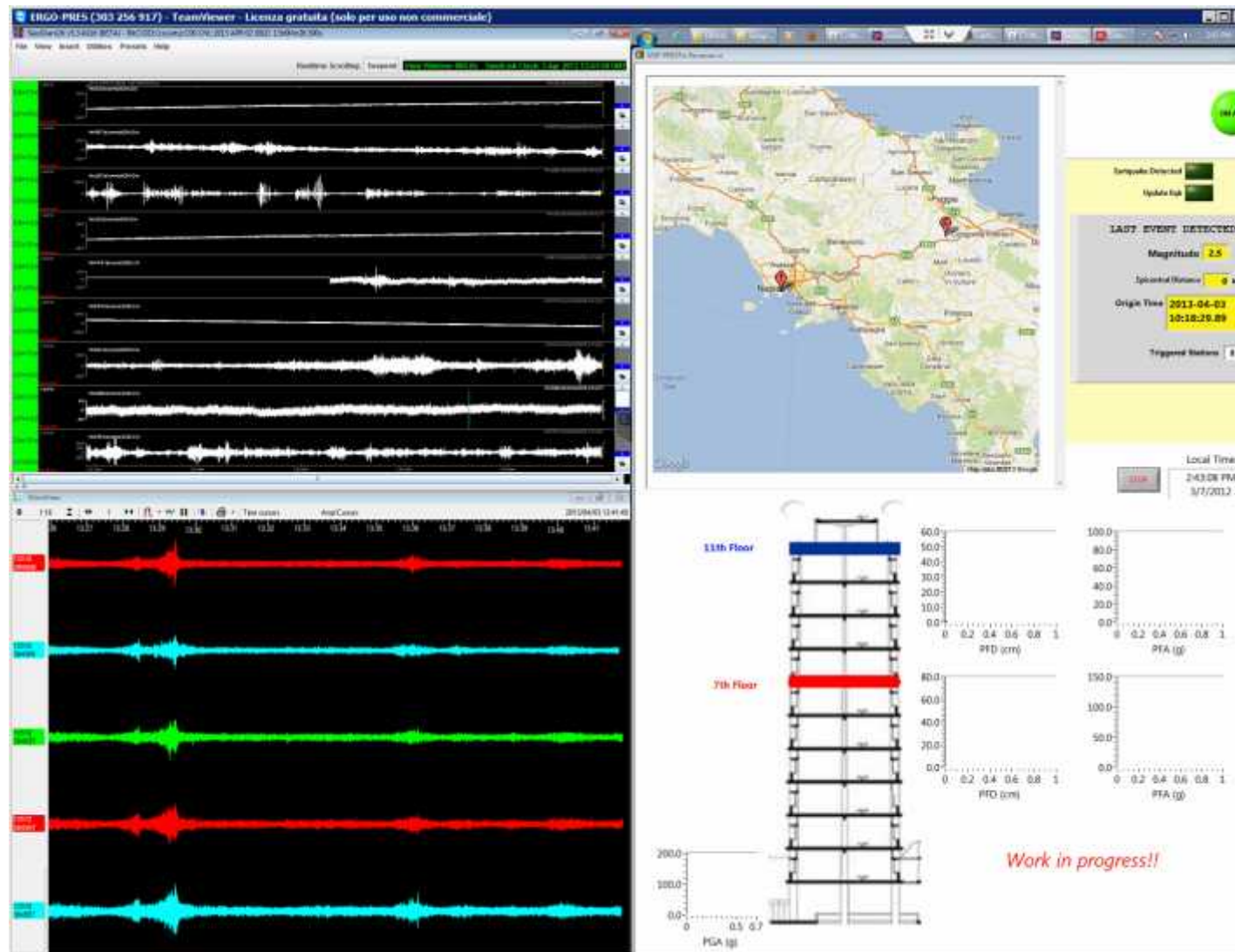
If you're looking at this slide it means the link with the actual system didn't work.

1. ISNet signals

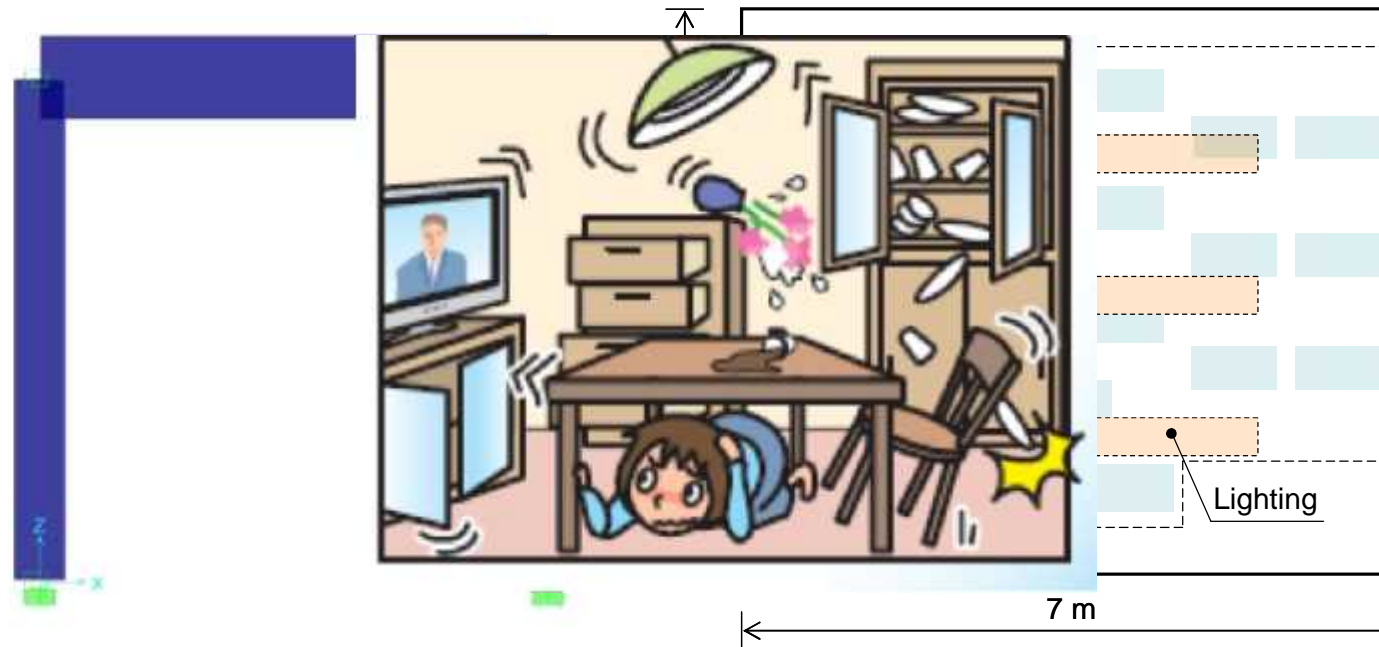
2. Real-time seismology

4. On-site sensors (not part of the EEW system)

3. Real-time earthquake engineering (PBEEW)



A classroom equipped with an EEW terminal



What causes loss? (assumptions)

- a) Structural collapse (DS);
- b) No structural damage, yet collapse of lighting (NDS);
- c) No structural damage, no lighting damage, yet warning (loss due to false alarm);
- d) No structural damage, no lighting damage, no warning, yet shaking felt (loss due to panic).

How the expected loss specializes for EEWS? *

Expected loss in the case of warning

$$E^W [L|\hat{\tau}] = E_{DS}^W [L|\hat{\tau}] + E_{DNS, \overline{DS}}^W [L|\hat{\tau}] + E_{\overline{DNS}, \overline{DS}}^W [L|\hat{\tau}]$$

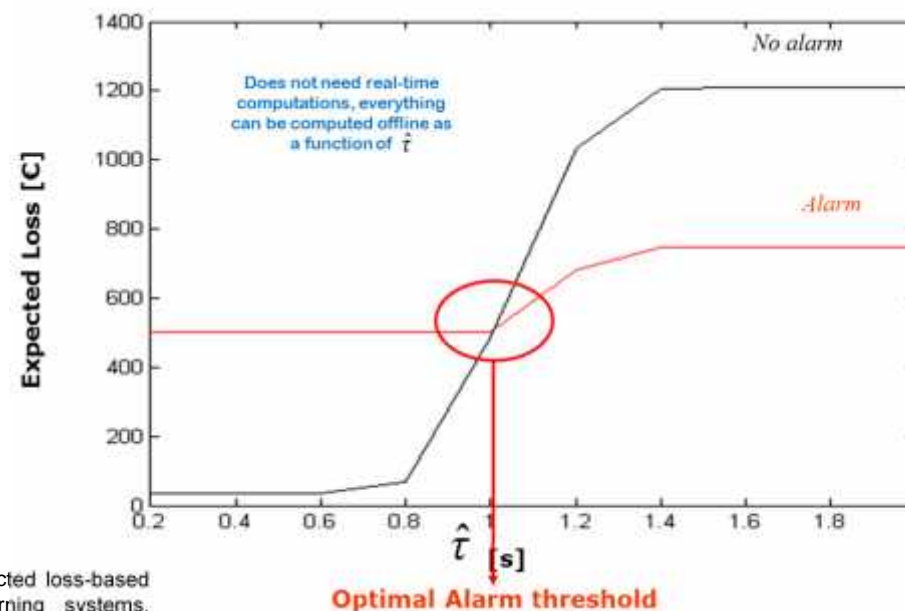
Loss due to structural collapse (independent of the alarming decision)

Loss due to collapse of non structural elements (reduced in the case of warning and security action initiated)

Loss in the case of no damage (cost of false alarm in the case of warning or cost of panic in the case of non-warning if ground motion is felt)

Expected loss in the case of non-warning

$$E^{\bar{W}} [L|\hat{\tau}] = E_{DS}^{\bar{W}} [L|\hat{\tau}] + E_{DNS, \overline{DS}}^{\bar{W}} [L|\hat{\tau}] + E_{\overline{DNS}, \overline{DS}}^{\bar{W}} [L|\hat{\tau}]$$



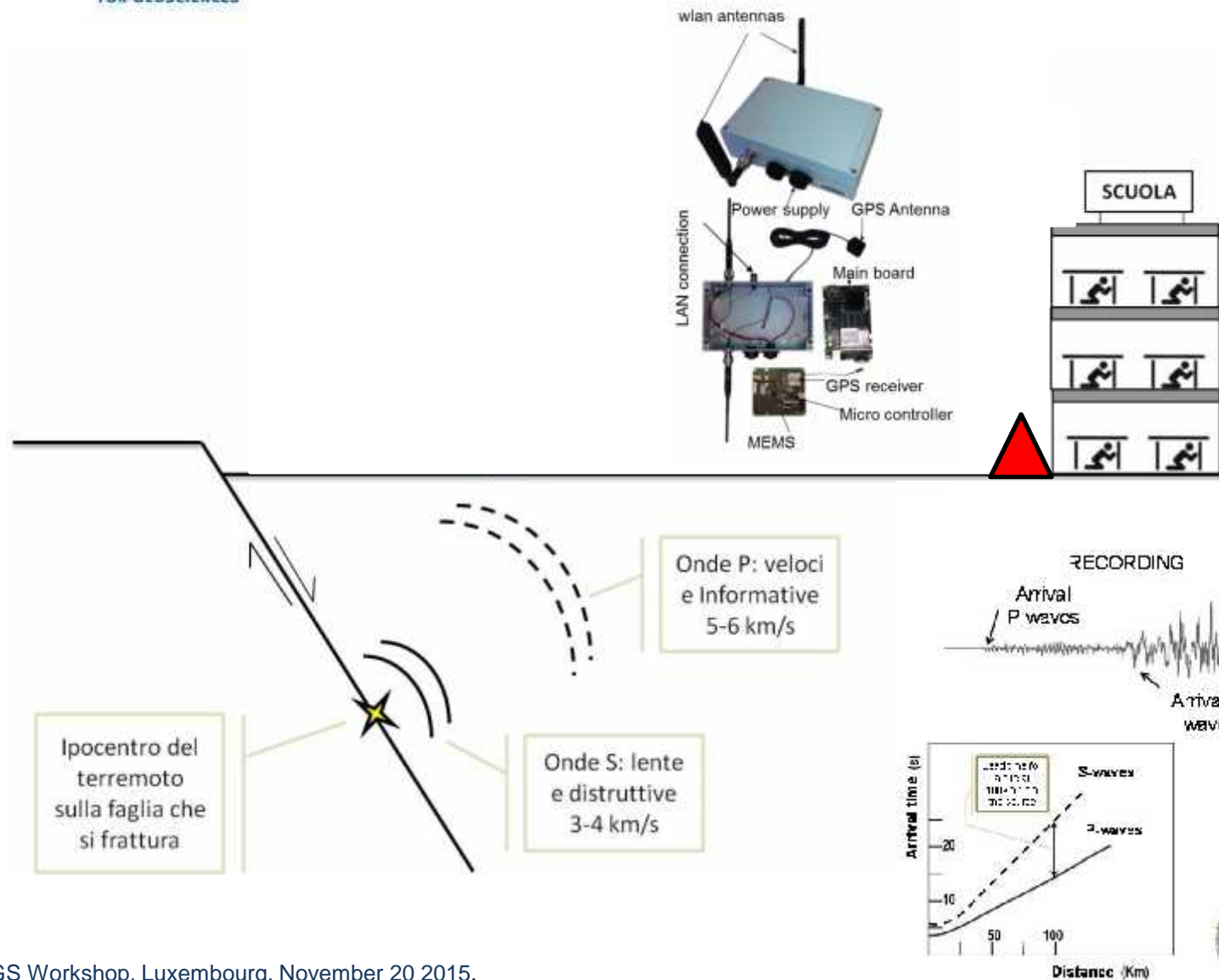
*Iervolino I., Giorgio M., Manfredi G. (2007). Expected loss-based alarm threshold set for earthquake early warning systems. *Earthquake Engineering and Structural Dynamics*, 36, 1151–1168.



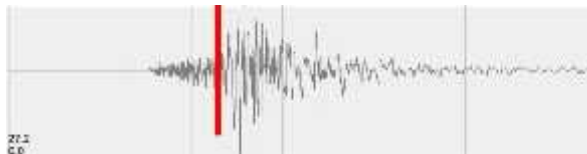
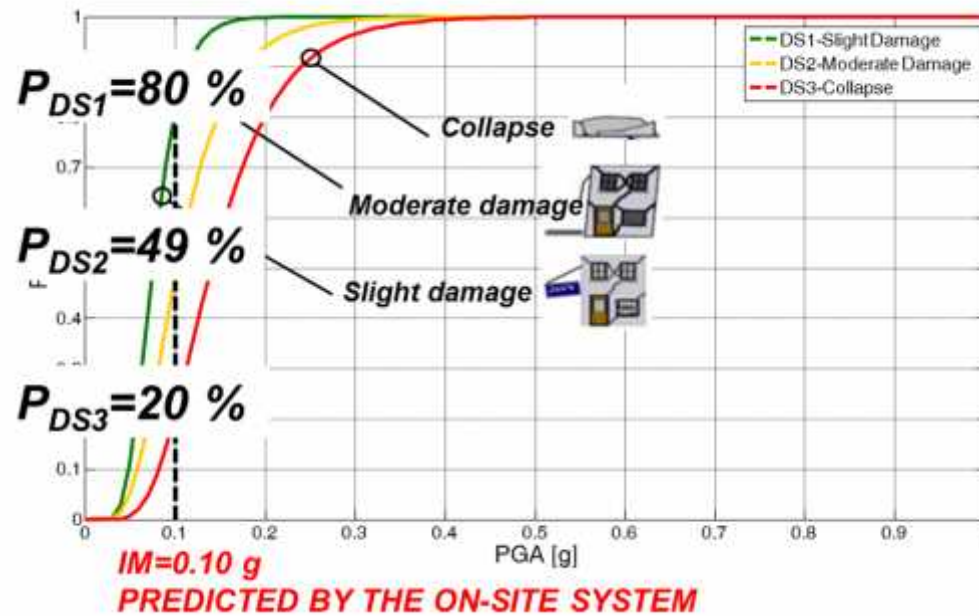
ISLAR (Industrial Seismic Loss Assessment and Reduction) project.



HELMHOLTZ CENTRE POTSDAM
GFZ GERMAN RESEARCH CENTRE
FOR GEOSCIENCES



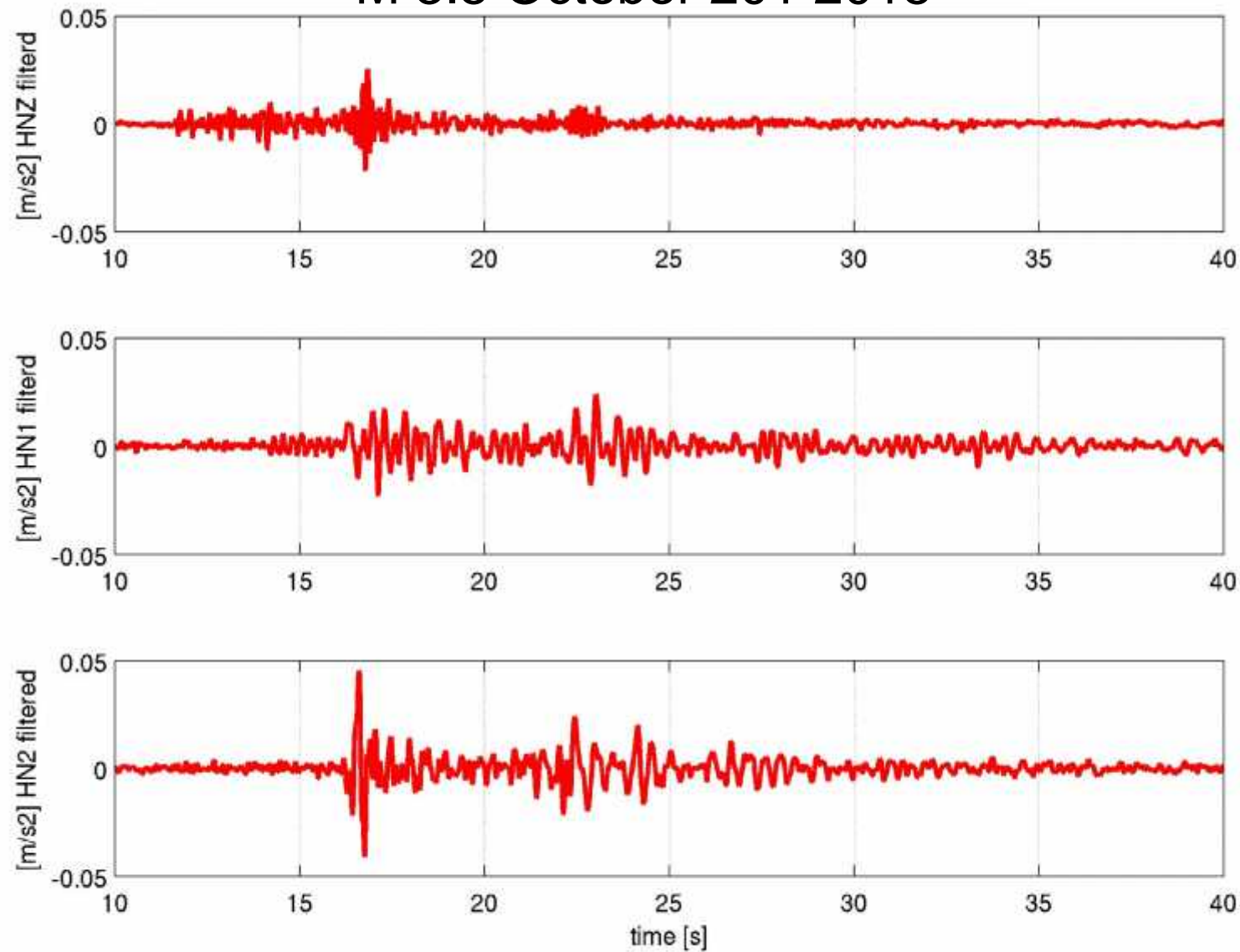
The Magneti Marelli (FCA Group) facility in Crevalcore



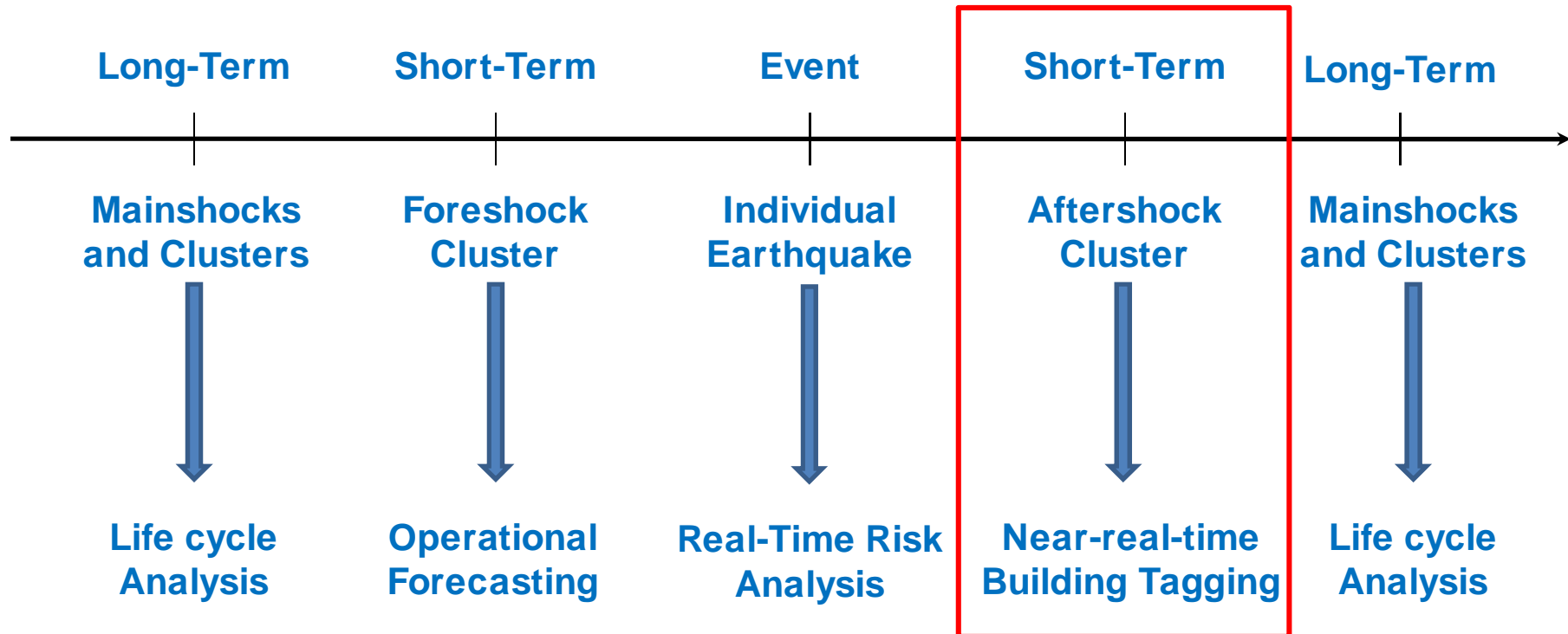
$$\begin{cases} \log(PGV) = 0.73 \log(P_d) + 1.3 \\ \dagger = 0.36 \end{cases}$$



M 3.5 October 201 2015

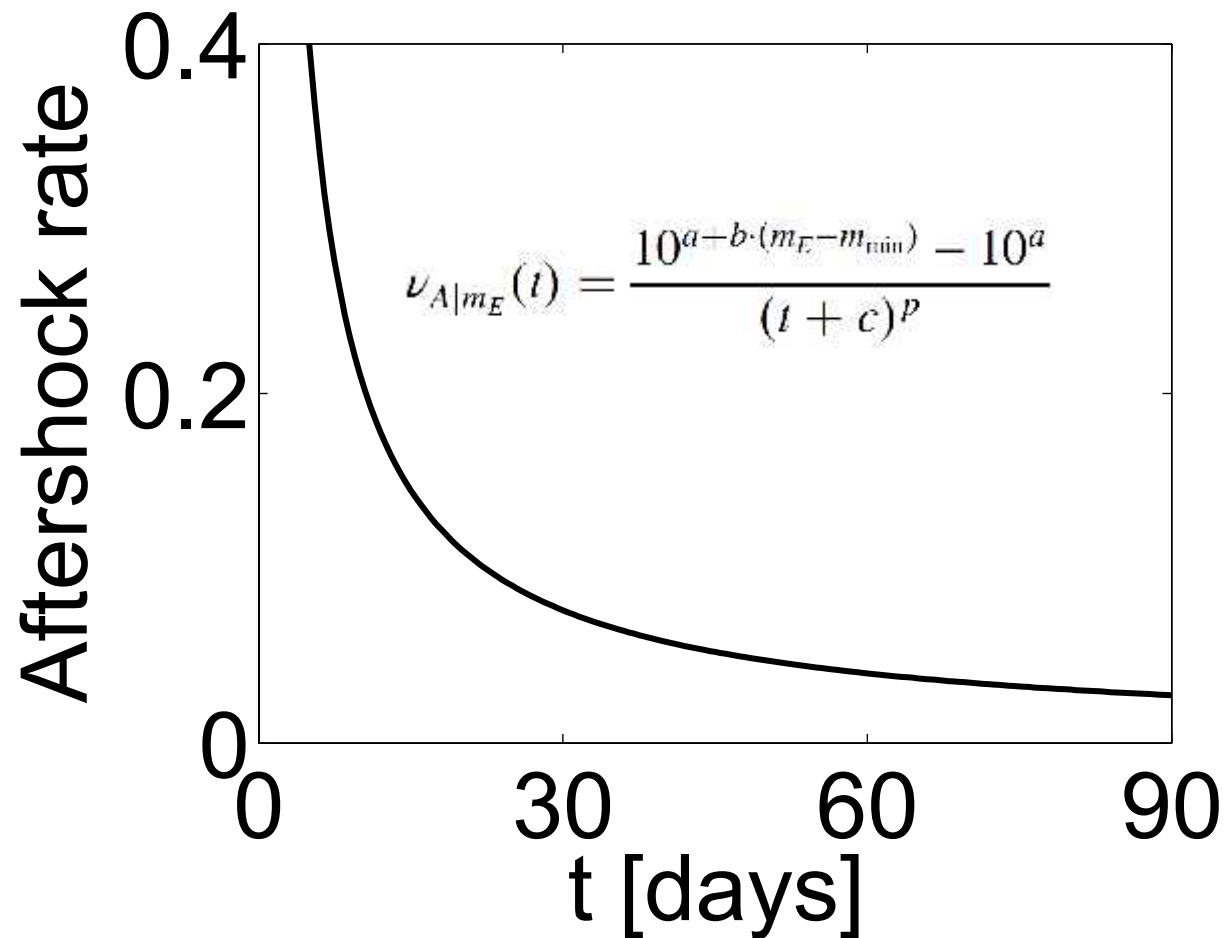


A possible scheme of seismic risk scales

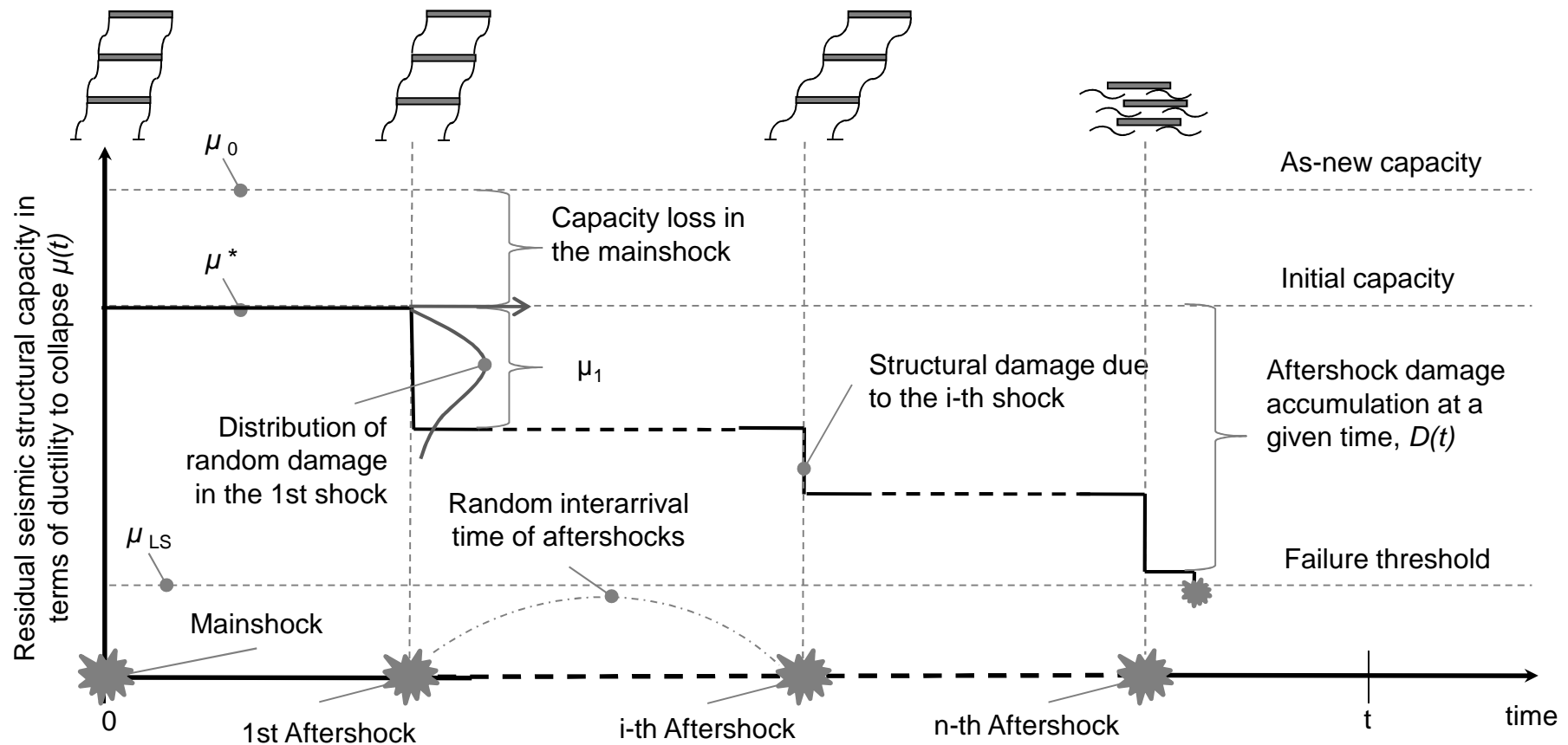


Background and motivation

- Major earthquakes (i.e., mainshocks) typically trigger a sequence of lower magnitude events clustered both in time and space (**aftershocks**).
- Seismic **hazard** results (conditionally) **increased** for some weeks (or months).
- The structural systems of interest might have suffered some damage in the mainshock and, as a consequence, **vulnerability may be increased**.



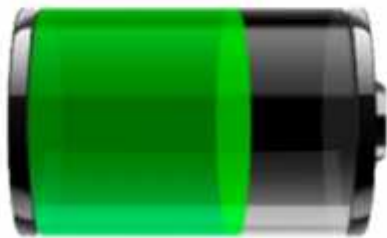
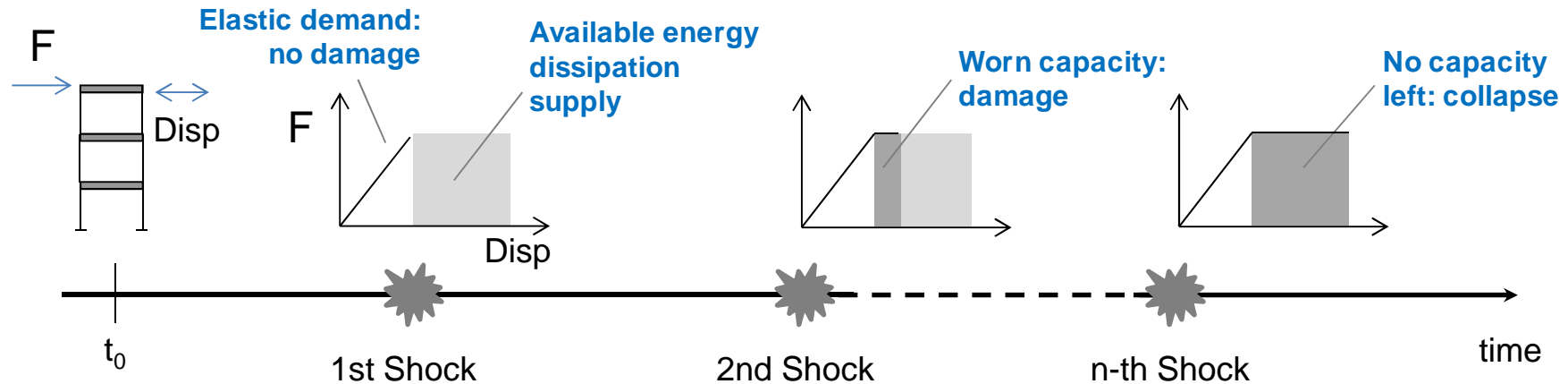
Short-term vulnerability* (1)



*Iervolino I., Giorgio M., Chioccarelli E. (2014) Closed-form aftershock reliability of damage-cumulating elastic-perfectly-plastic systems. *Earthquake Engineering and Structural Dynamics*, 43:613–625.



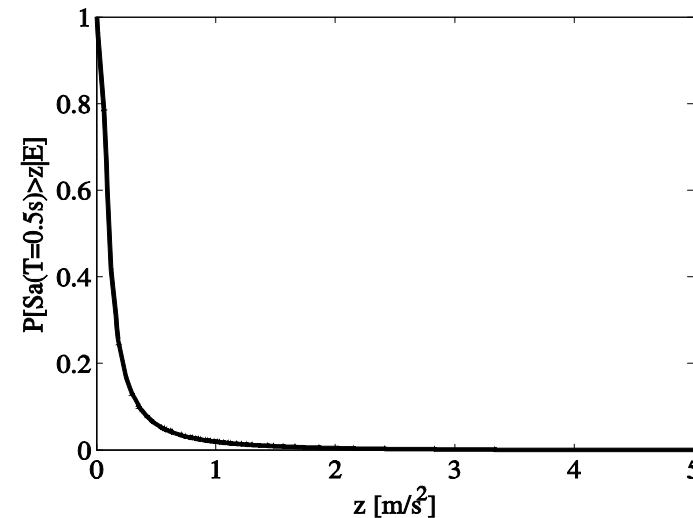
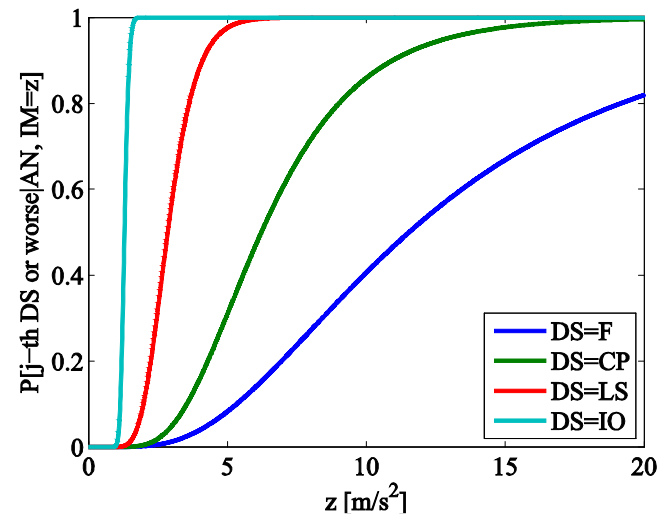
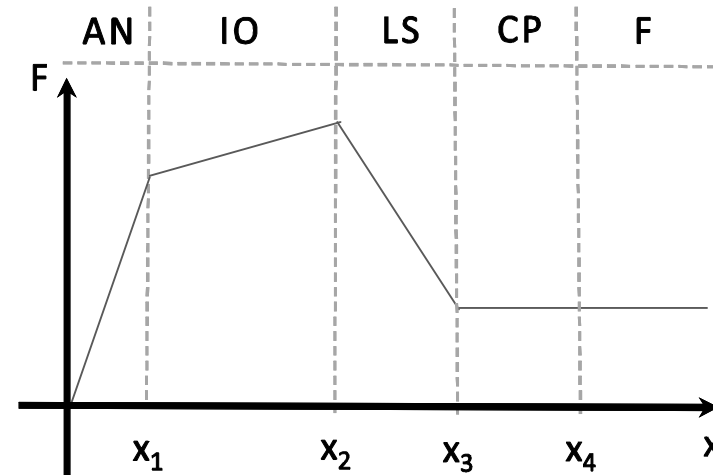
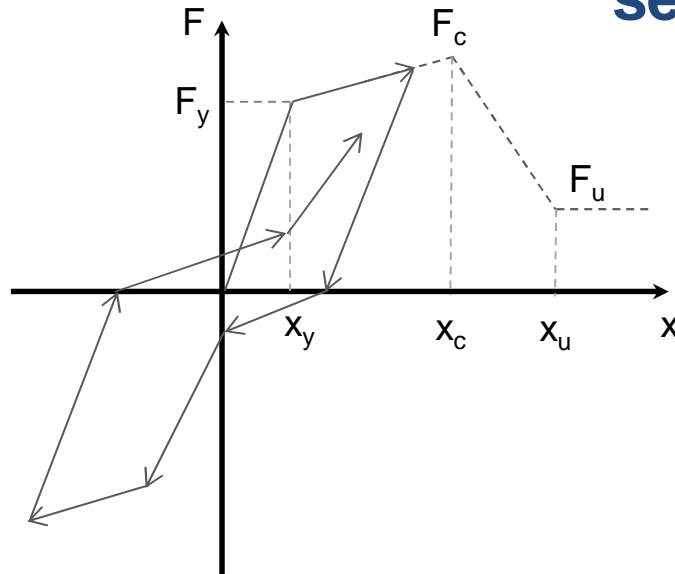
Short-term vulnerability* (2)



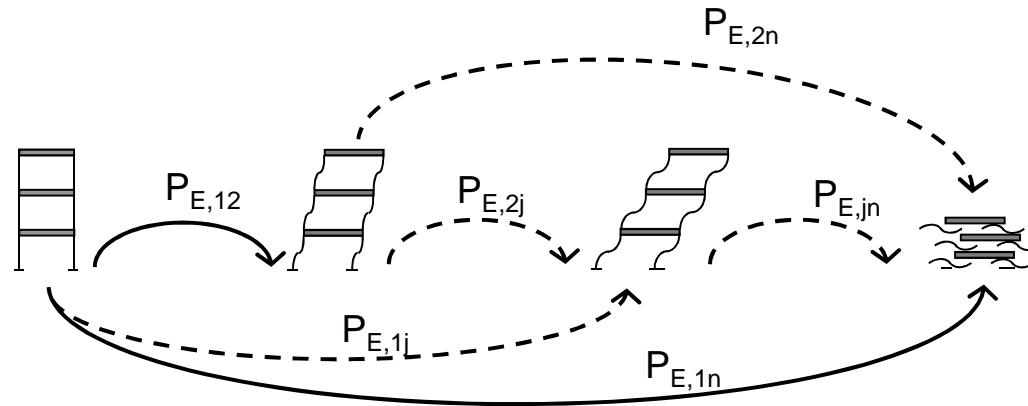
Because the structure has an available capacity, just like a battery. The mainshock and the aftershocks drain some of this capacity 'until it is out of power'.



Modeling collapse risk during aftershock sequences* (1)



Modeling collapse risk during aftershock sequences* (2)



Unit-time transition matrix given by:

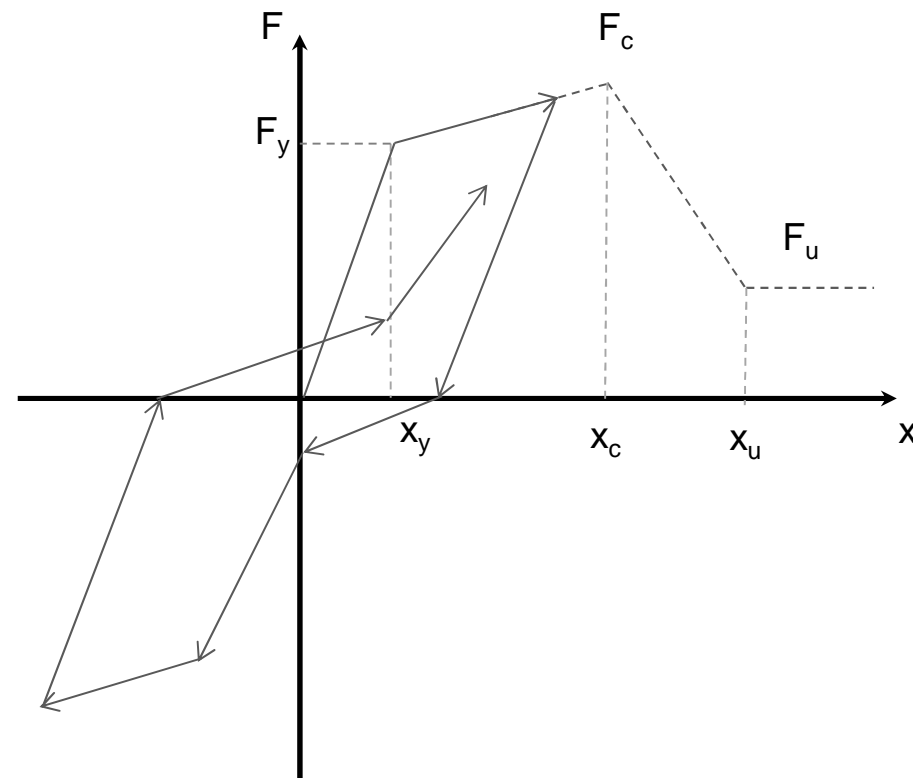
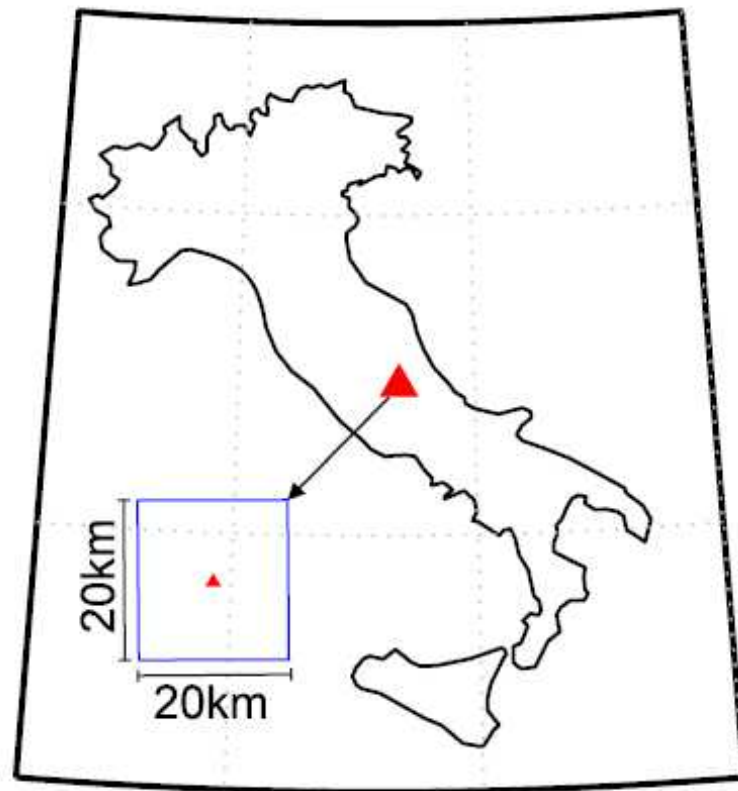
1. Aftershock occurrence rate (Omori);
2. Distribution of ground motion intensity (IM) in one generic aftershock (from APSHA);
3. State-dependent fragility curves.

$$[P_E(k, k+1)] = \begin{bmatrix} 1 - \sum_{j=2}^n v_{A|m_E}(k) \cdot P_{1,j} & v_{A|m_E}(k) \cdot P_{1,2} & \dots & \dots & v_{A|m_E}(k) \cdot P_{1,n} & \text{IO} \\ 0 & 1 - \sum_{j=3}^n v_{A|m_E}(k) \cdot P_{2,j} & \dots & \dots & v_{A|m_E}(k) \cdot P_{2,n} & \text{LS} \\ \dots & \dots & \dots & \dots & \dots & \dots \\ 0 & \dots & 0 & 1 - v_{A|m_E}(k) \cdot P_{(n-1),n} & v_{A|m_E}(k) \cdot P_{(n-1),n} & \text{CP} \\ 0 & \dots & \dots & 0 & 1 & \text{F} \\ \text{IO} & \text{LS} & \text{CP} & \text{F} & & \end{bmatrix}$$

$$P_{i,j} = \int_{im} P[j\text{-th state} | i\text{-th state} \cap IM = z] \cdot f_{IM|E}(z) \cdot dz$$



Distribution of ground motion intensity (spectral acceleration) of a generic aftershock of a M 6.3 mainshock in a generic location



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Summary

1. We have discussed **reconcilable** performance-based earthquake engineering models at three time-scales (**shortly before, during, and shortly-after**);
2. **Operational earthquake loss forecasting** is feasible in Italy based on large-scale vulnerability and exposure data, and using as an input seismicity rates from OEF;
3. **Earthquake early warning** is a feasible and economically viable solution to reduce in real time the seismic risk **reducing the exposure** of the system of interest;
4. **Aftershock risk management** of damage cumulating structures is gaining attention because its potential of **reducing the business interruption** in those system (factories) where indirect earthquake loss are more important than direct structural damage costs;
5. All the discussed models are part of current European attempt to improve competencies to deal with seismic risk in a long-term effort to improve **resilience of European communities to earthquakes**.





Performance-based earthquake engineering before, during, and after a mainshock



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